

STANFORD EXPLORATION PROJECT

SEP Annual Meeting



Toward PZ summation without Z (SEP155-p.119; SEP158-p.323)



Outline

- **PZ summation with calibration filters based on critically refracted waves (SEP155-p.119)**
- **Toward PZ summation without Z (SEP158-p.323)**

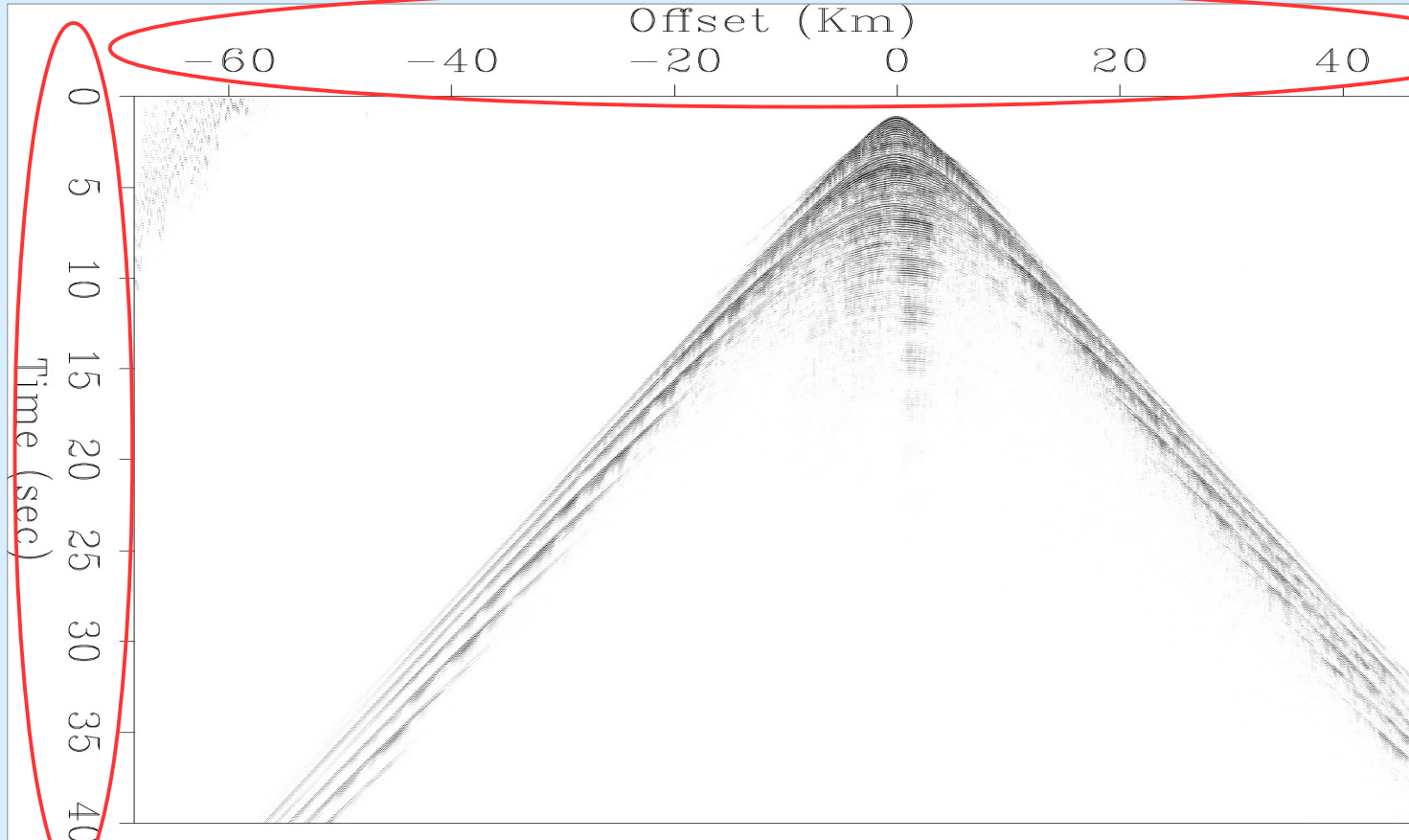


- **PZ summation with calibration filters based on critically refracted waves (SEP155-p.119)**
 - Ocean bottom acquisition: an interesting long-offset dataset
 - PZ summation for wavefield separation
 - Intermediate and Final Results
 - Conclusions



Long-offset OBN dataset

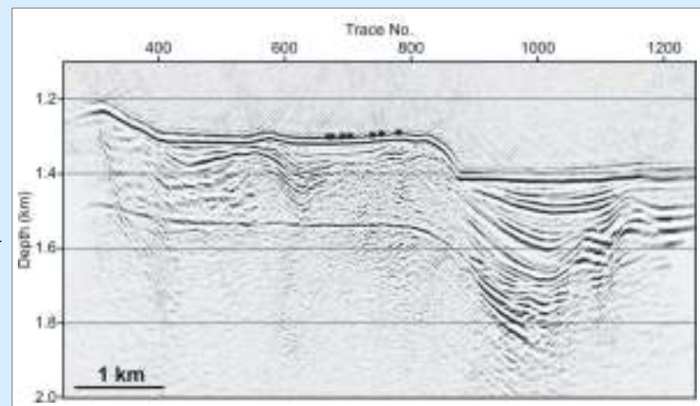
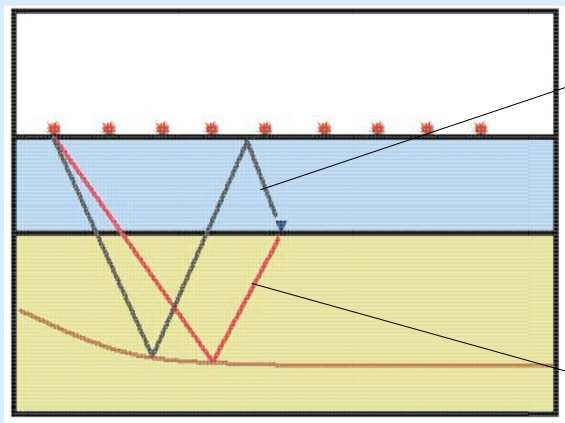
Seabed Geosolutions provides us with a very interesting dataset



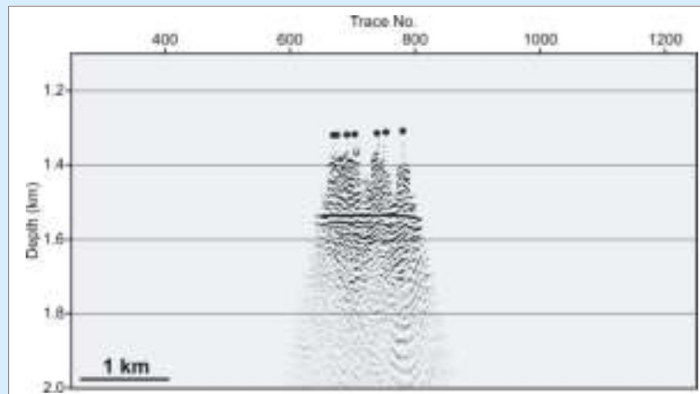


Mirror imaging

Illumination of primary and sea surface multiple

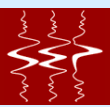


Down-going



Up-going

Dash et al., 2009



Up-down separation

	Pressure component	Vertical component
Up-going pressure →	$P_{up}(f, k) = \frac{1}{2} P(f, k)$	$+ \frac{\rho}{2q(f, k)} Z(f, k)$
Down-going pressure →	$P_{down}(f, k) = \frac{1}{2} P(f, k)$	$- \frac{\rho}{2q(f, k)} Z(f, k)$

Calibration
term

$$P_{down}(f, k) = \frac{1}{2} P(f, k) - A(f) \frac{\rho}{2q(f, k)} Z(f, k)$$



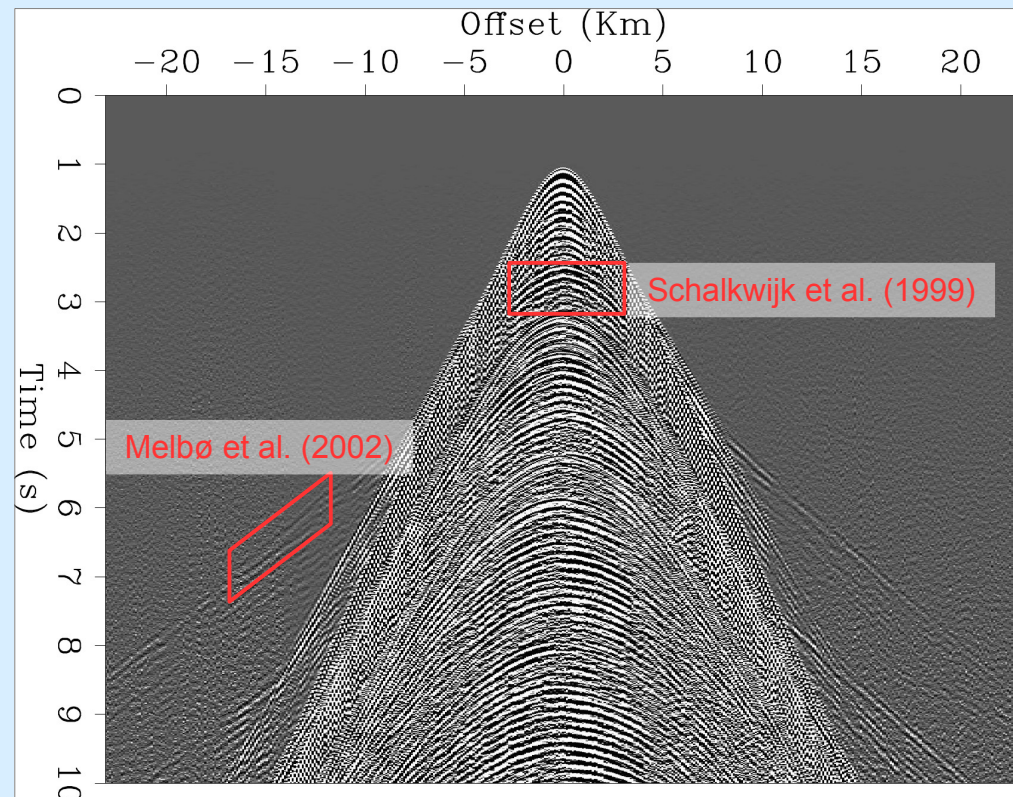
Up-down separation

How to find the calibration filter?

$$\|P_{down}\|_A^2 = \left\| \frac{1}{2} P + A \frac{\rho}{2q} Z \right\|_A^2 \rightarrow \min$$

↓
With a shaping filter within a certain window

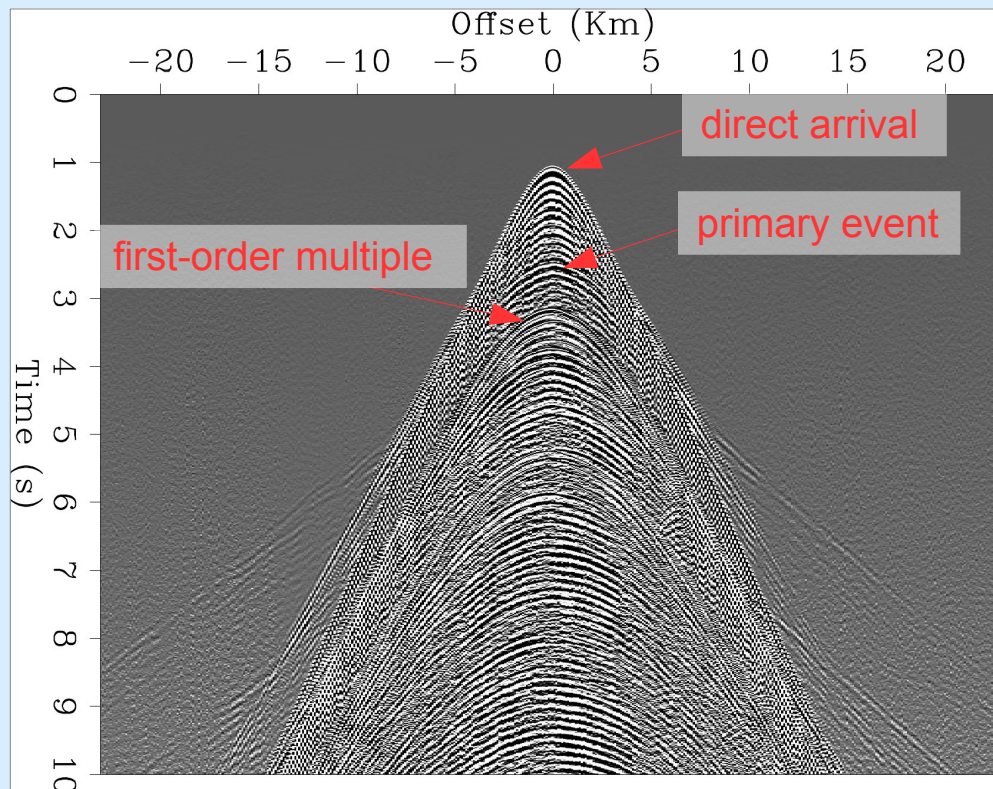
$$P(f, k) = A(f) \frac{\rho}{q} Z(f, k) = C(f) Z(f, k)$$





Up-down separation: first step

Receiver impulse response designature

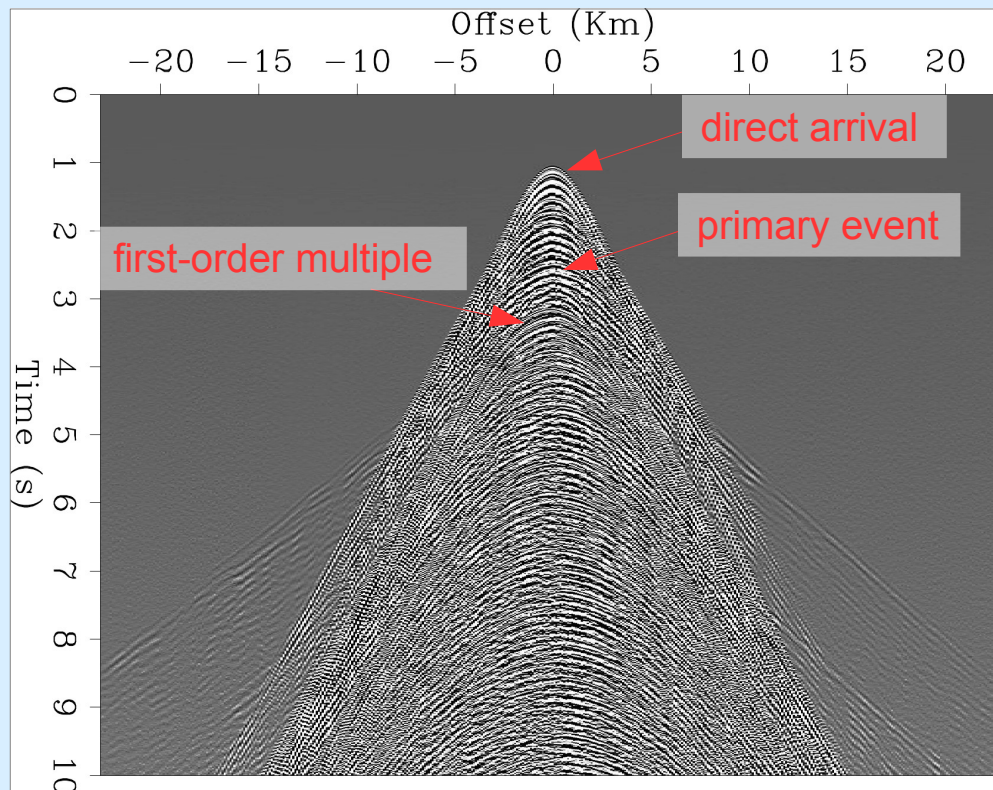


Original Hydrophone component



Up-down separation: first step

Receiver impulse response designature

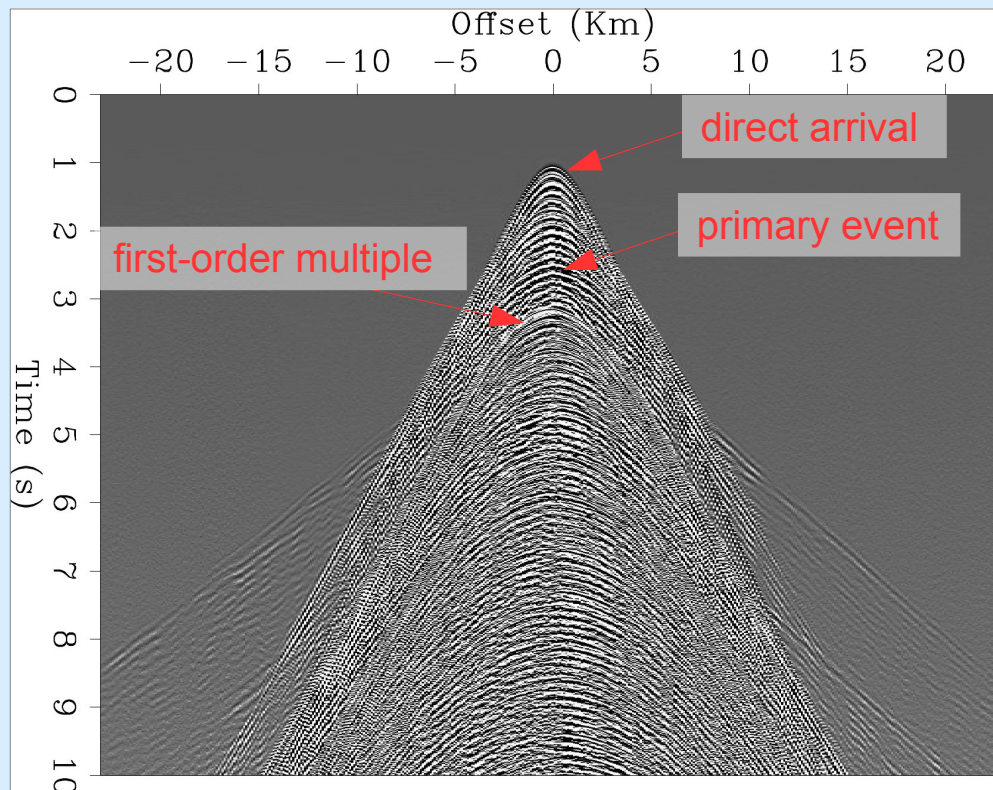


Original Vertical component



Up-down separation: first step

Receiver impulse response designature

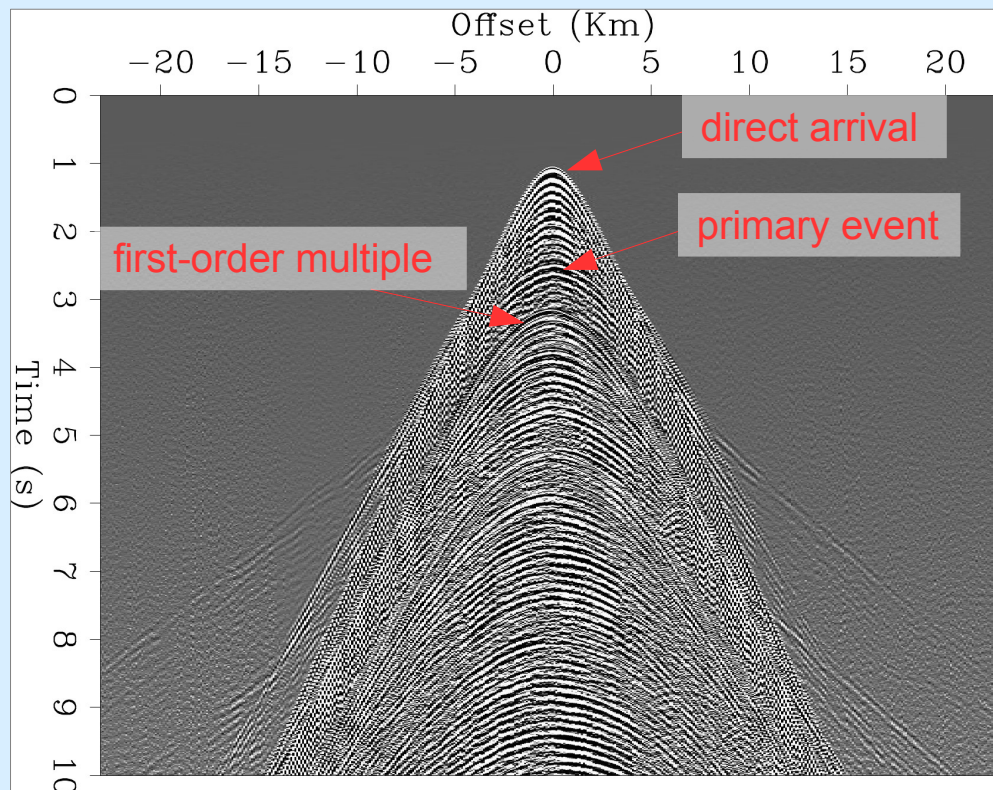


Deconvolved Vertical component



Up-down separation: first step

Receiver impulse response designature

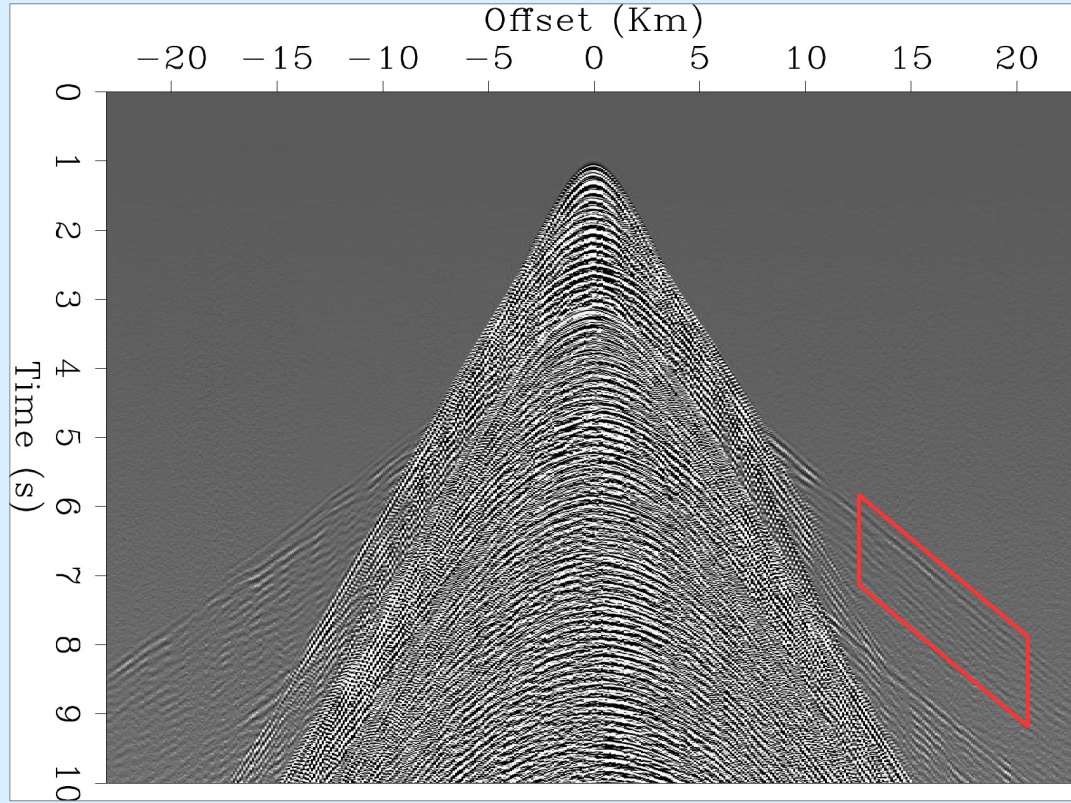


Deconvolved Pressure component



Up-down separation: second step

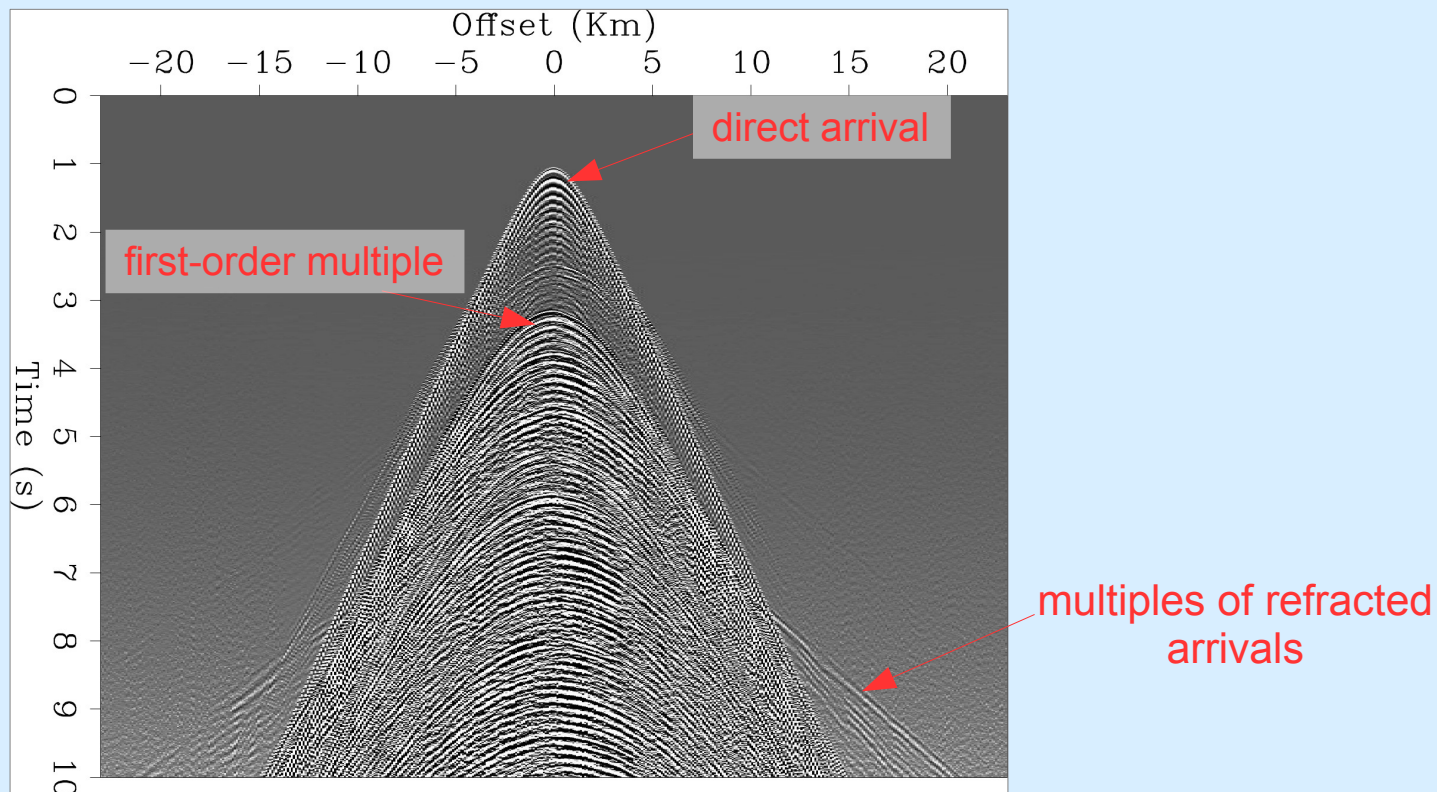
Windowing refracted arrivals and computing calibration filters





Up-down separation: third step

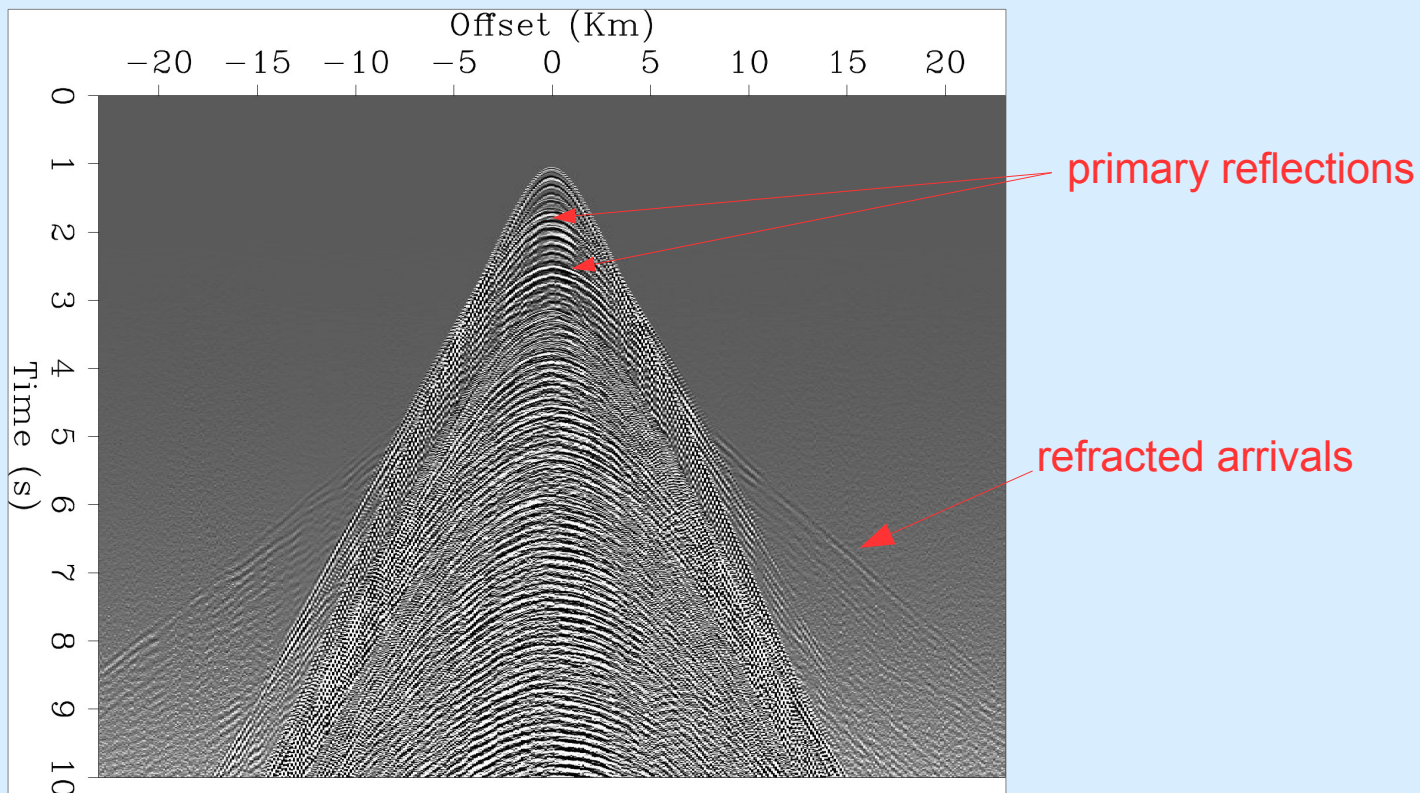
Wavefield decomposition Down-going pressure component





Up-down separation: third step

Wavefield decomposition Up-going pressure component

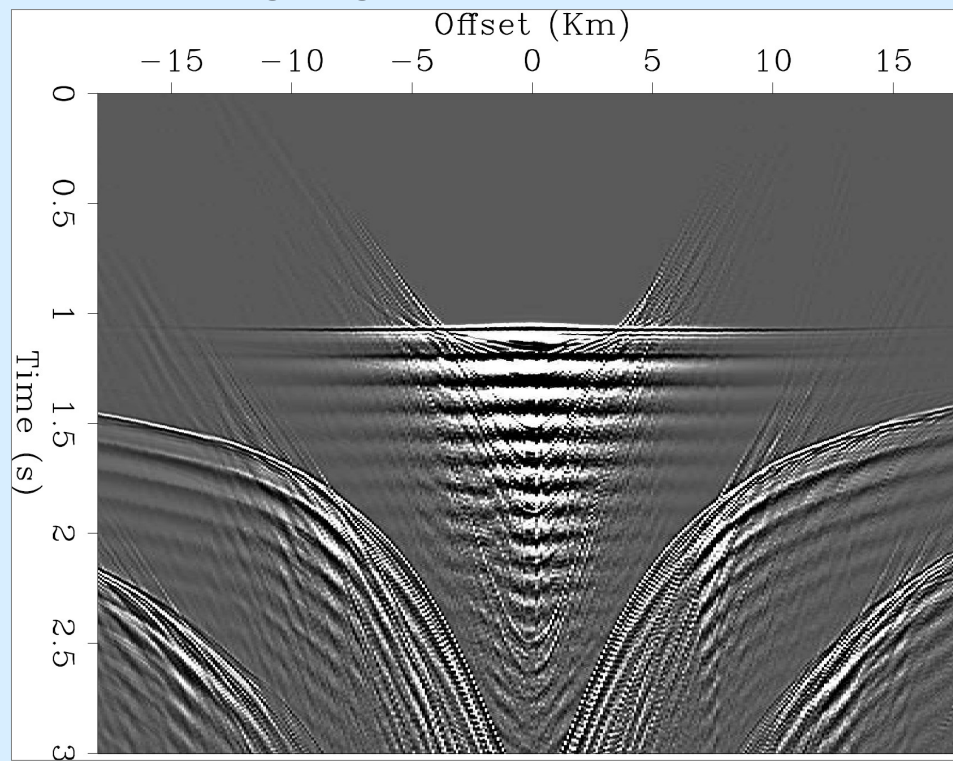




Up-down separation: fourth step

Adaptive subtraction

Down-going pressure field after HMO

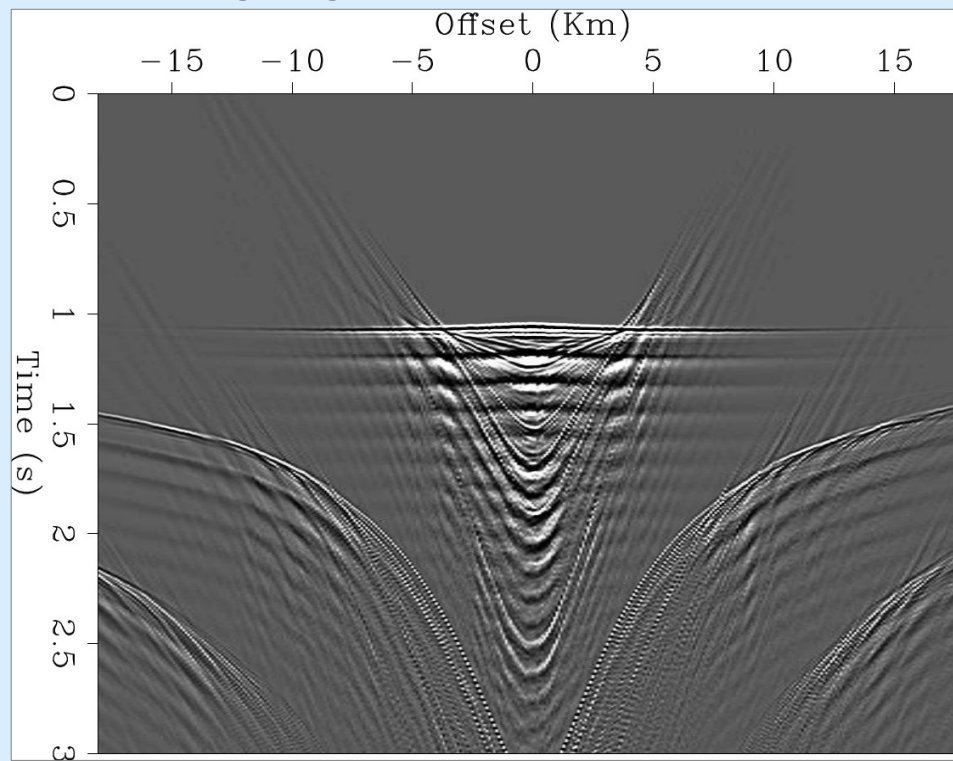




Up-down separation: fourth step

Adaptive subtraction

Up-going pressure field after HMO

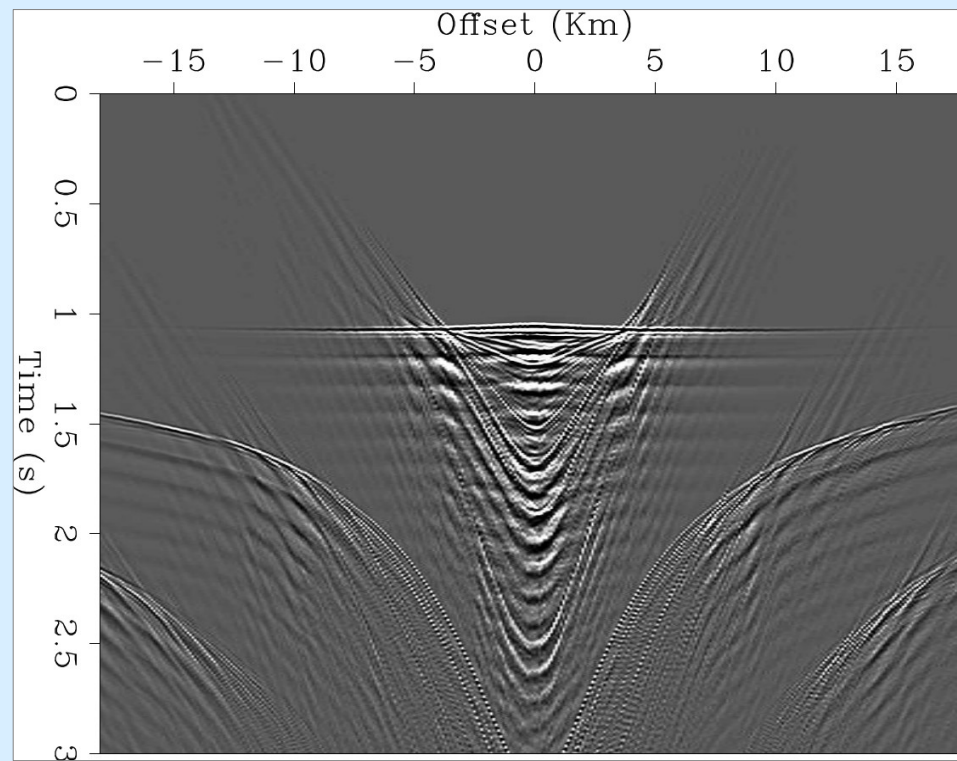




Up-down separation: fourth step

Adaptive subtraction

Up-going pressure field after adaptive subtraction





Conclusions

- **PZ summation with calibration filters based on critically refracted waves (SEP155-p.119)**
 - Phase differences can be eliminated by receiver impulse response deconvolution



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 - Calibration filters computed on refracted arrivals can separate up- from down-going energy at **long offsets**



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 - Phase differences can be eliminated by receiver impulse response deconvolution
 - Calibration filters computed on refracted arrivals can separate up- from down-going energy at **long offsets**
 - Adaptive subtraction improves the separation at **near offsets**
 - This result enables us to carry out further processing (source wavelet estimation, multiple removal, etc...)



Outline

- **PZ summation with calibration filters based on critically refracted waves (SEP155-p.119)**
- **Toward PZ summation without Z (SEP158-p.323)**

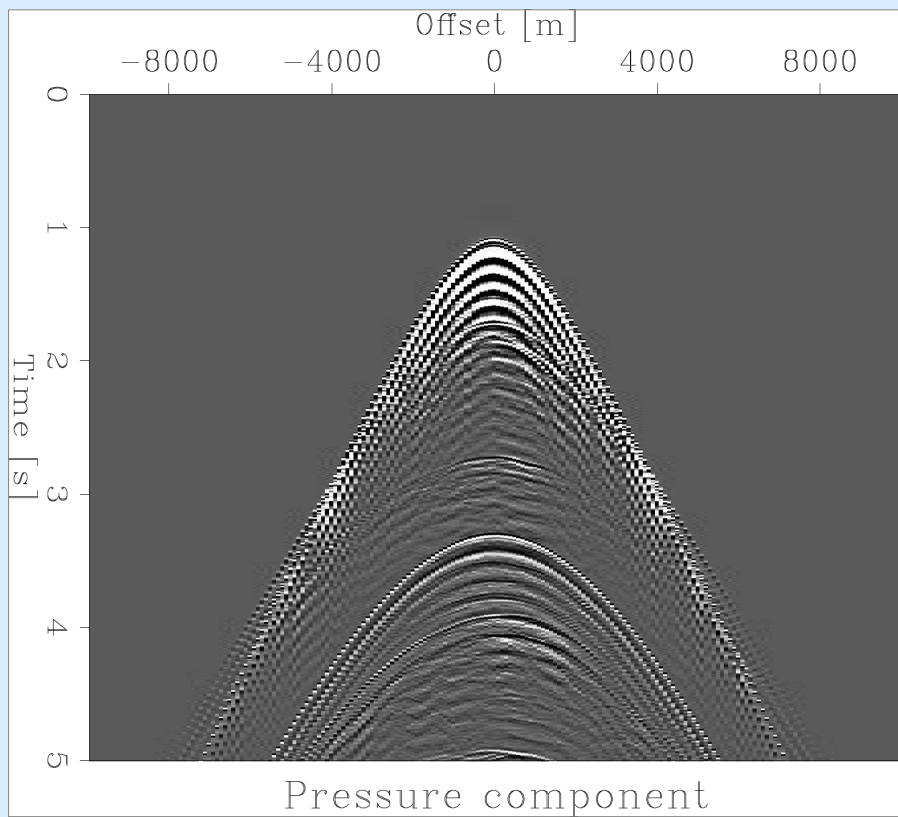


- **Toward PZ summation without Z (SEP158-p.323)**
 - Why a single-component based up-down separation
 - Main assumption
 - Curvelet domain and simple tests
 - Conclusions

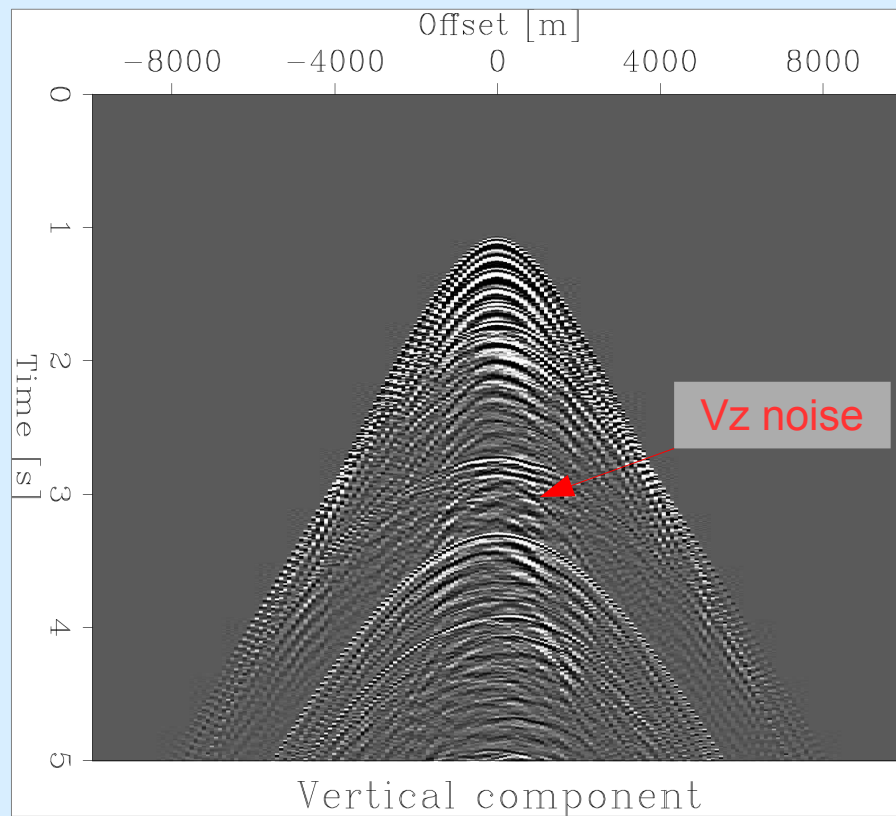


Vz noise

Pressure component



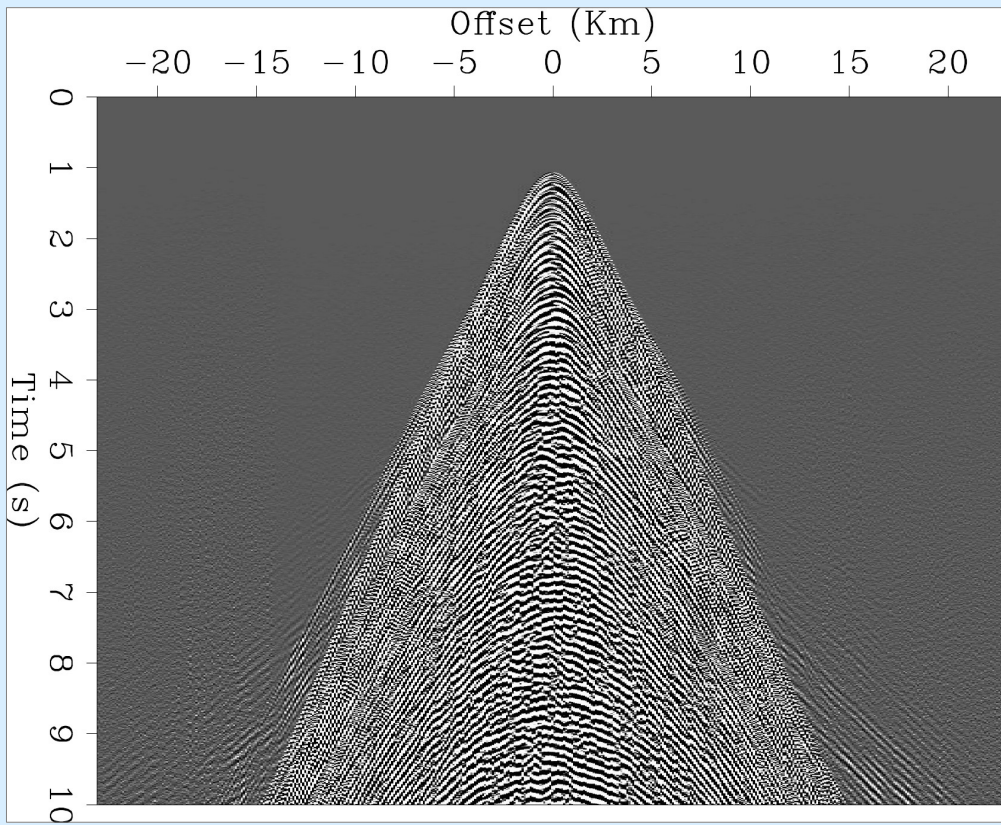
Vertical component



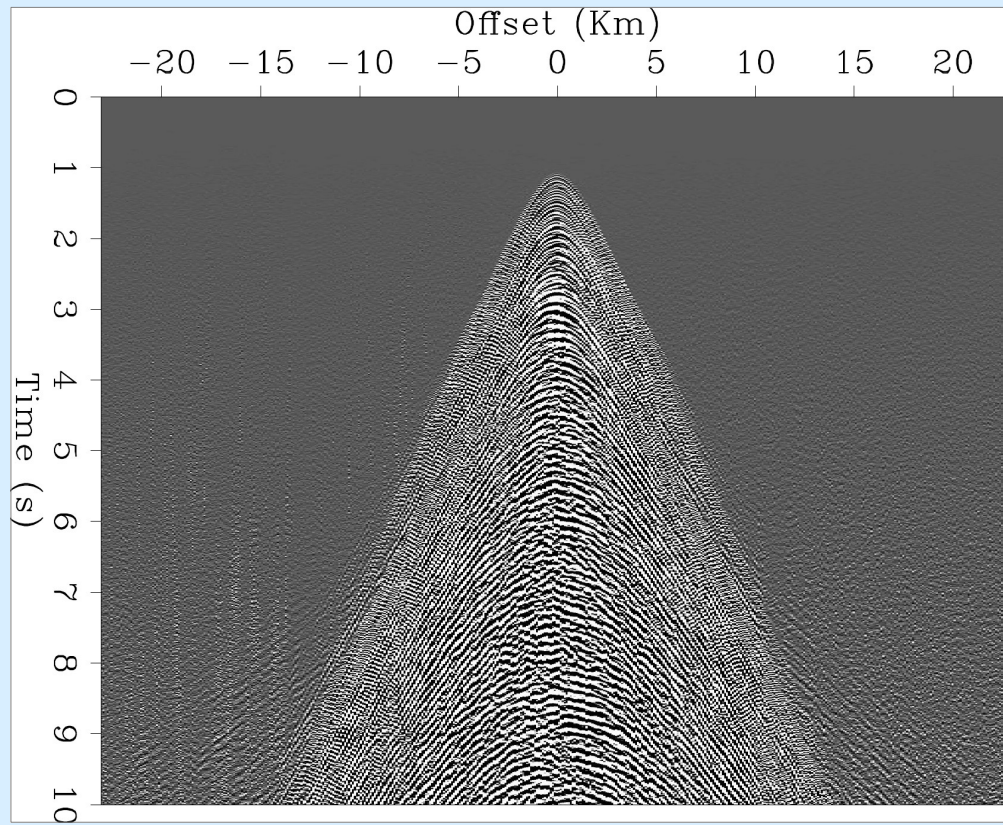


Horizontal-component separation

Radial component



Transverse component

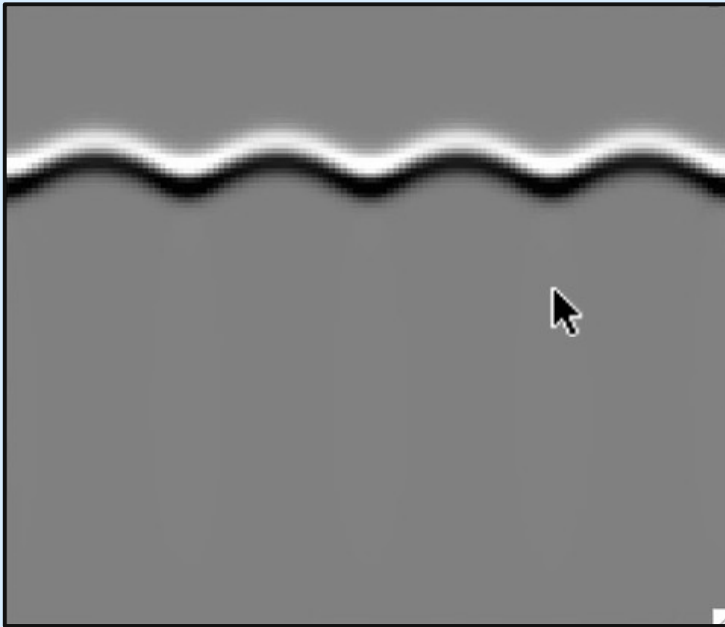




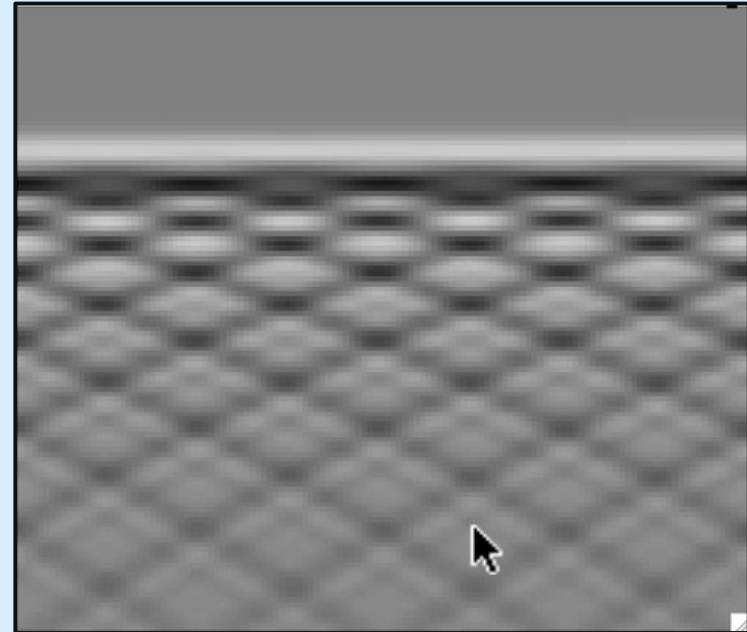
Wavefront healing

Figures from FGDP

Wavefield after passing through **inhomogeneity**



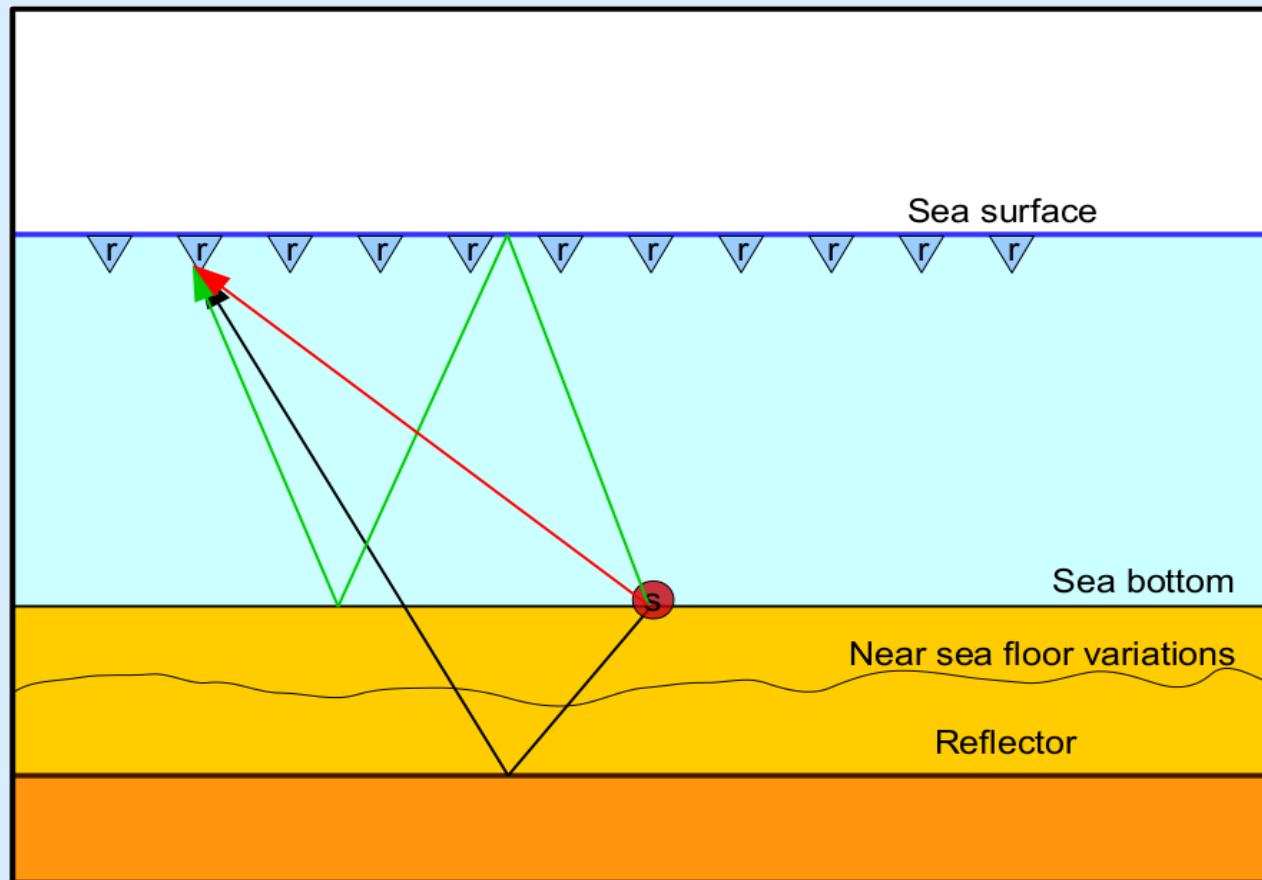
Wavefield after traveling in **homogeneous** medium





Wavefront healing

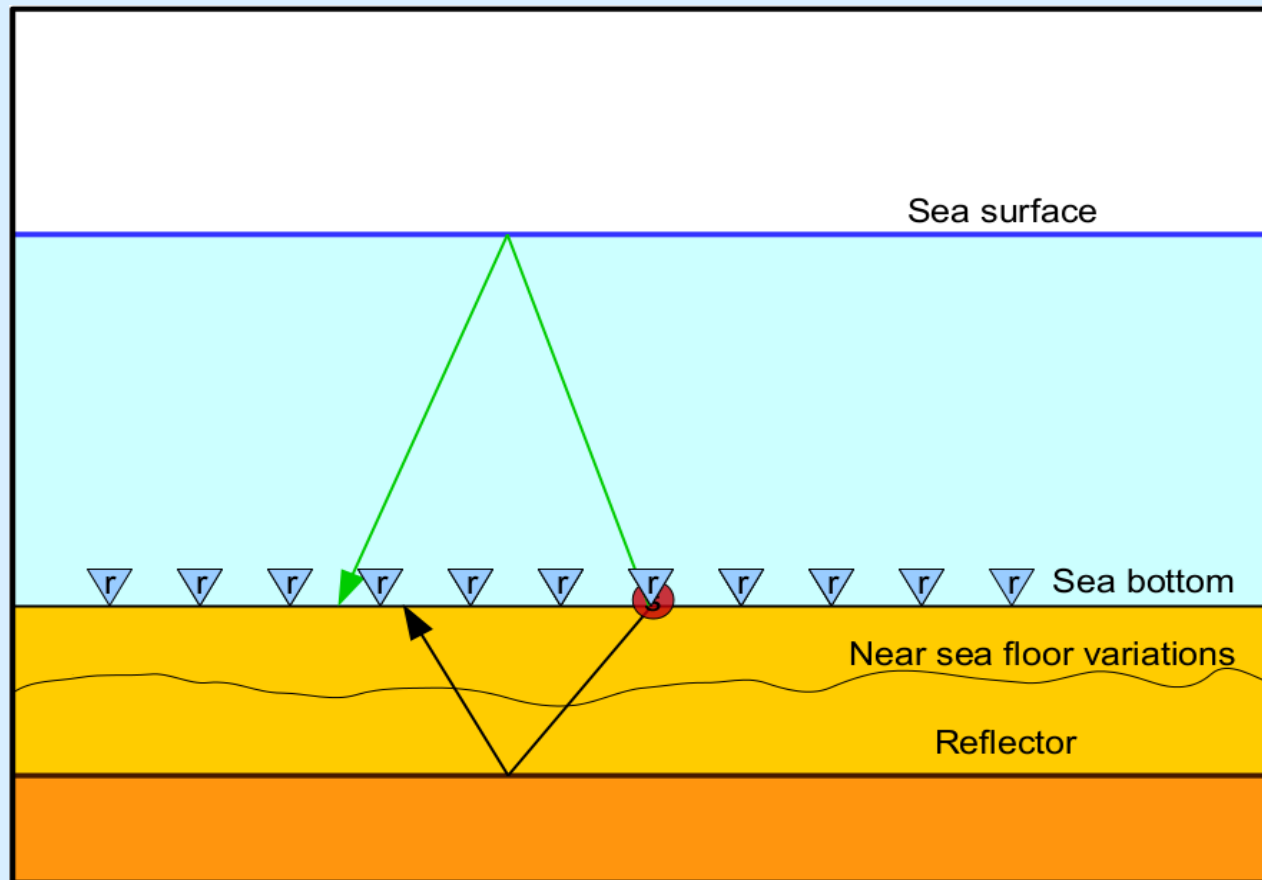
Using **reciprocity**, we exchange shots with receiver





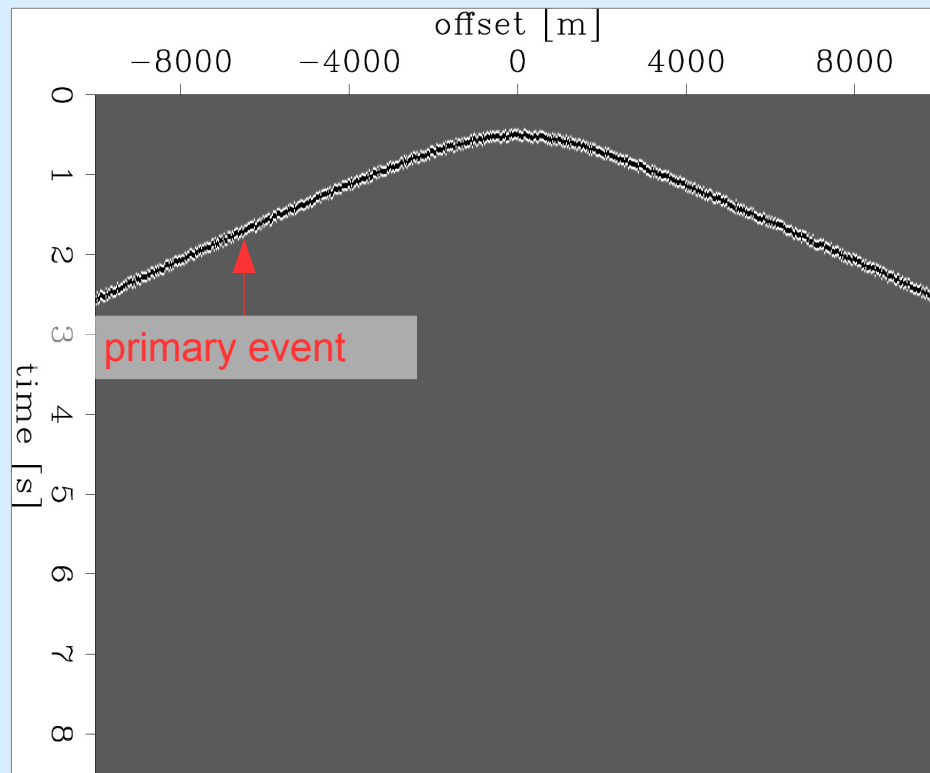
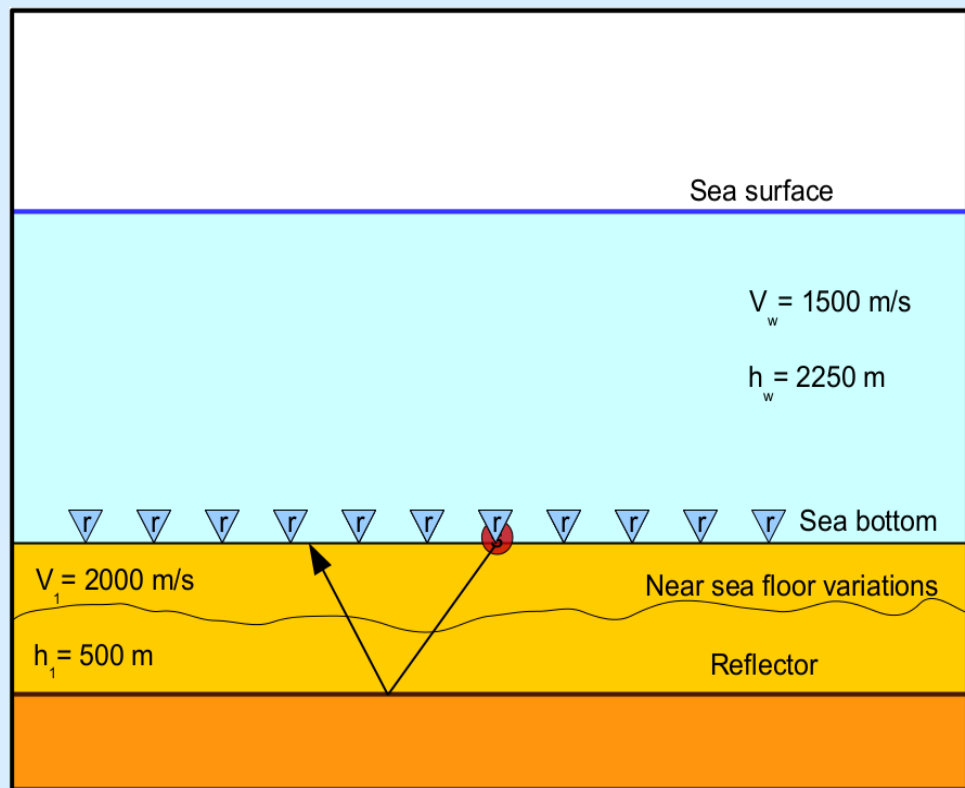
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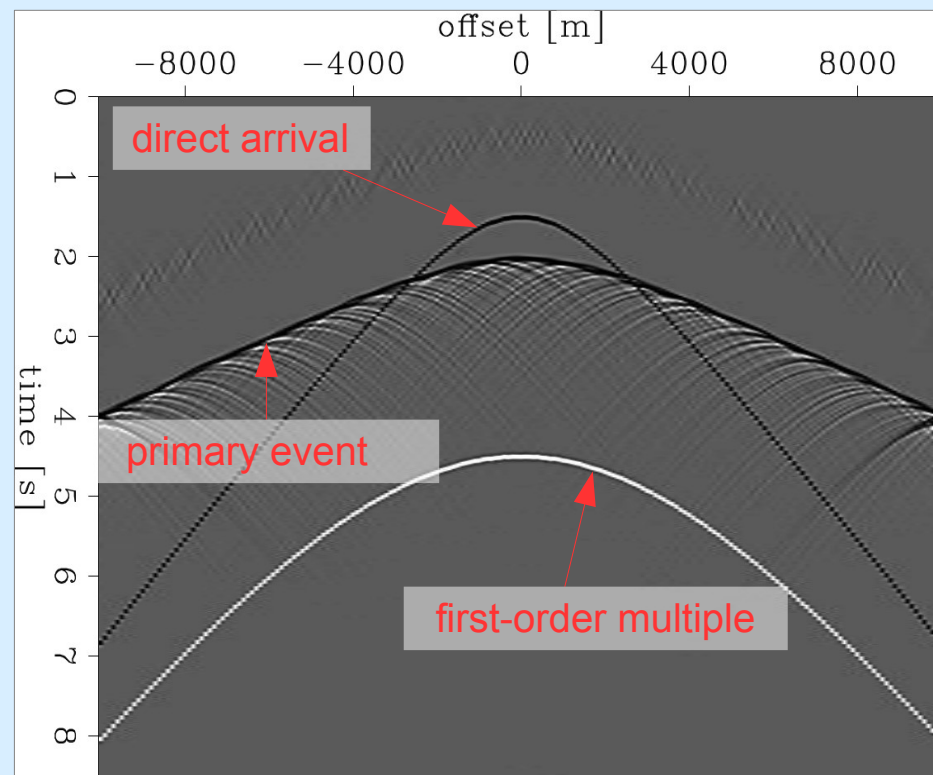
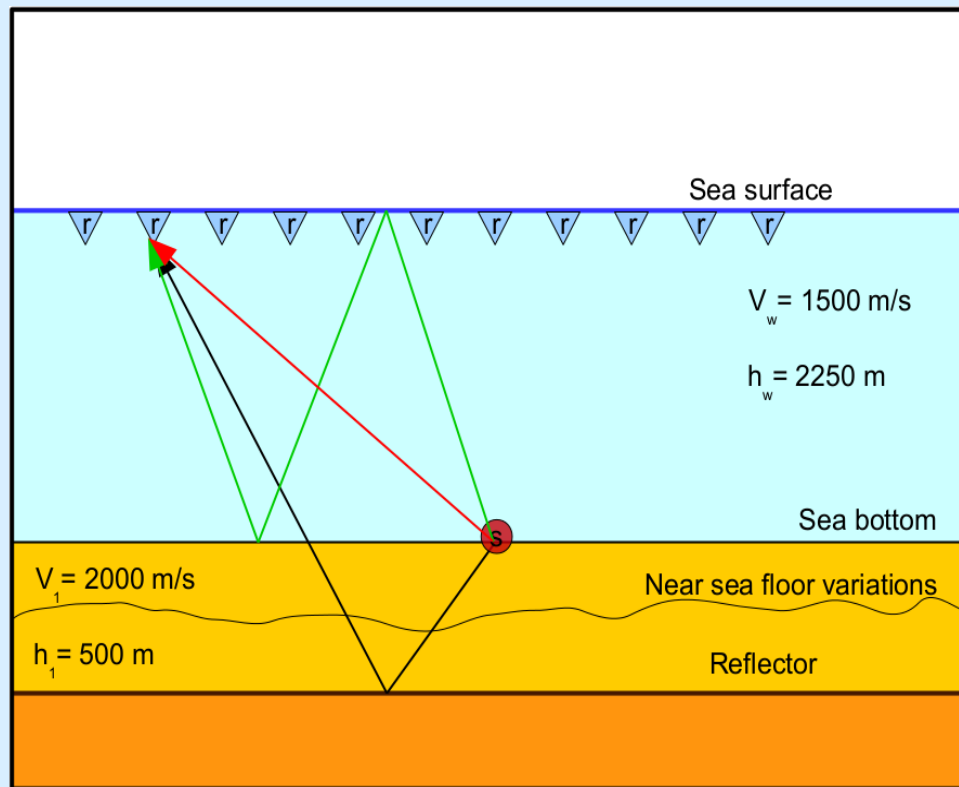


The effect of statics



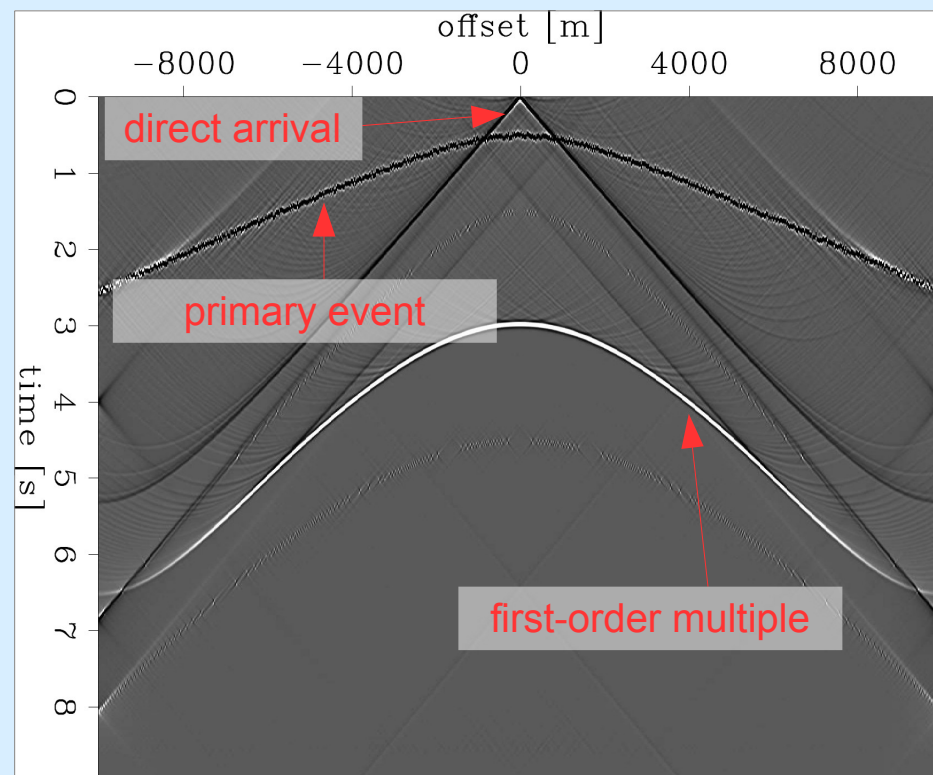
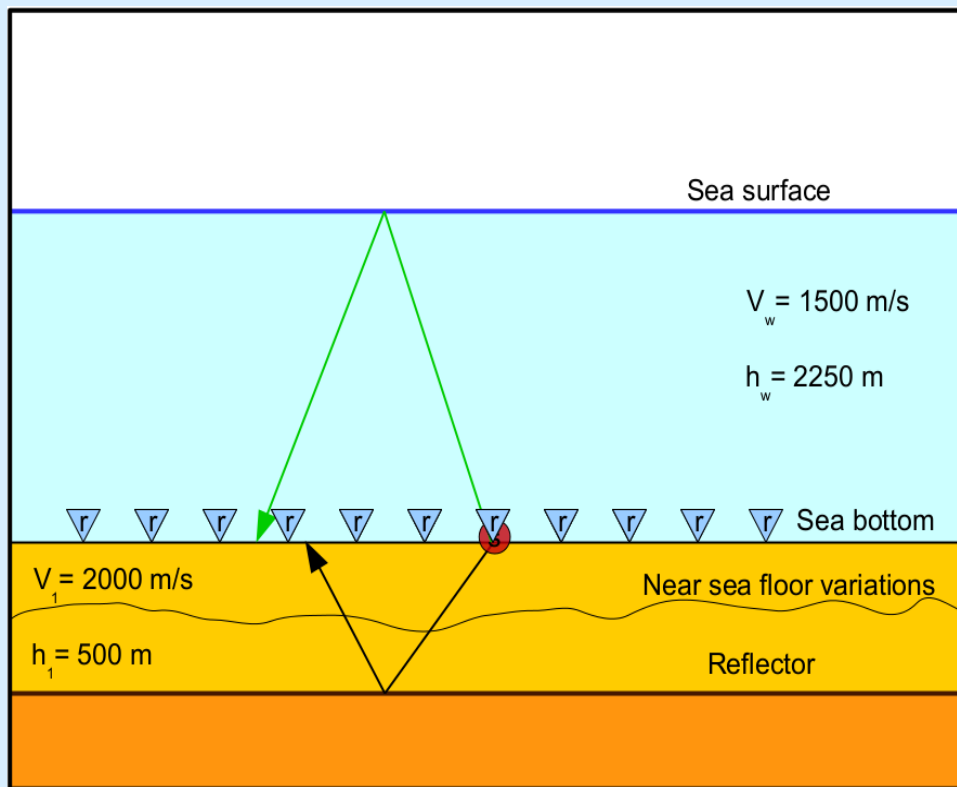


The effect of statics





The effect of statics





The curvelet domain

How does the curvelet transform work?

coefficient

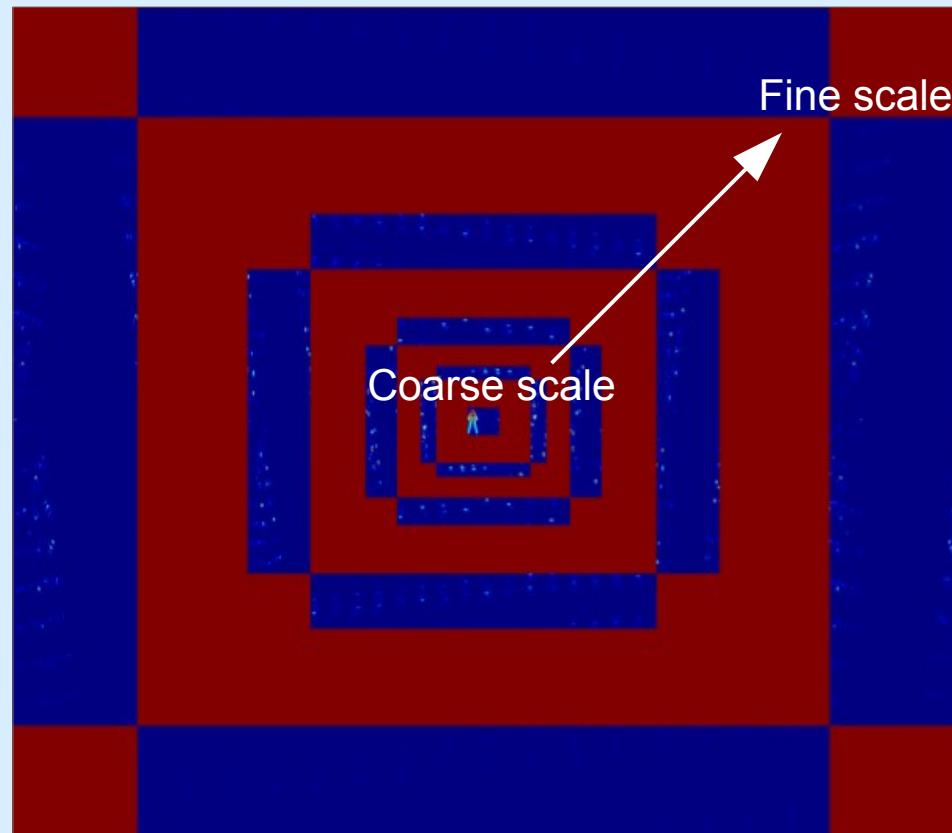
Basis function

$$c(j, l, k) = \int f(\omega) U_j(S_{\theta_l}^{-1} \omega) e^{i \langle S_{\theta_l}^{-T} b, \omega \rangle} d\omega$$

$j = \text{scale}$

$l = \text{orientation of the wavelet}$

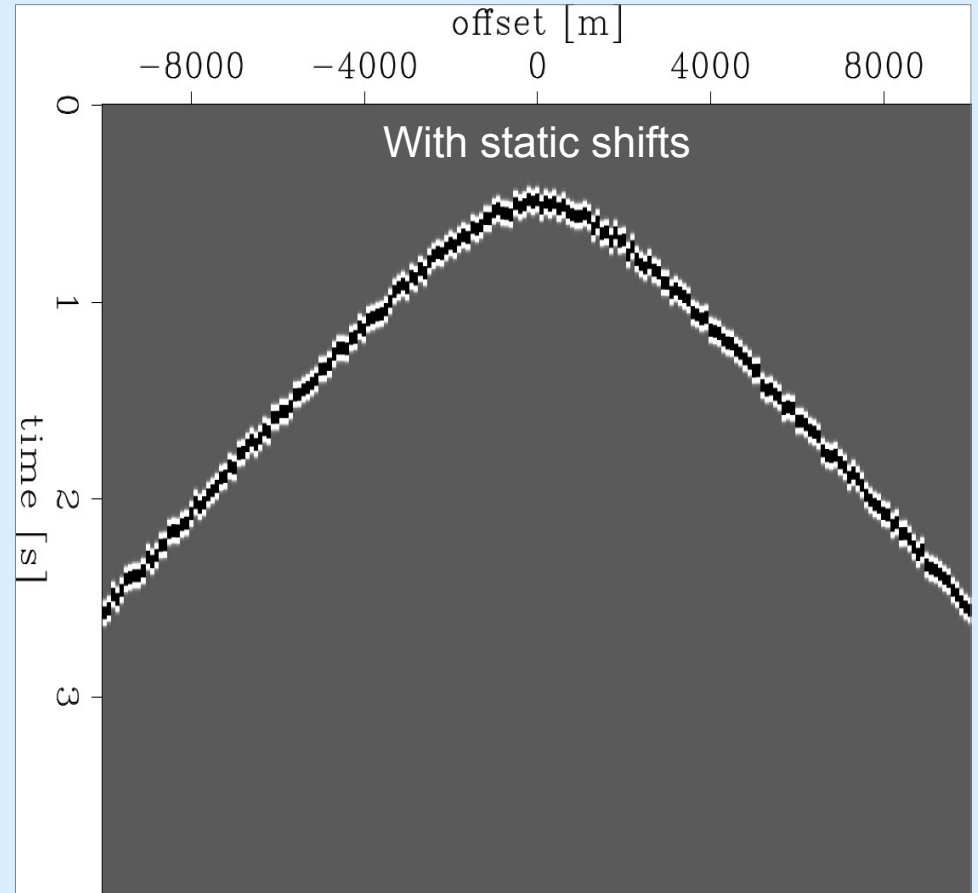
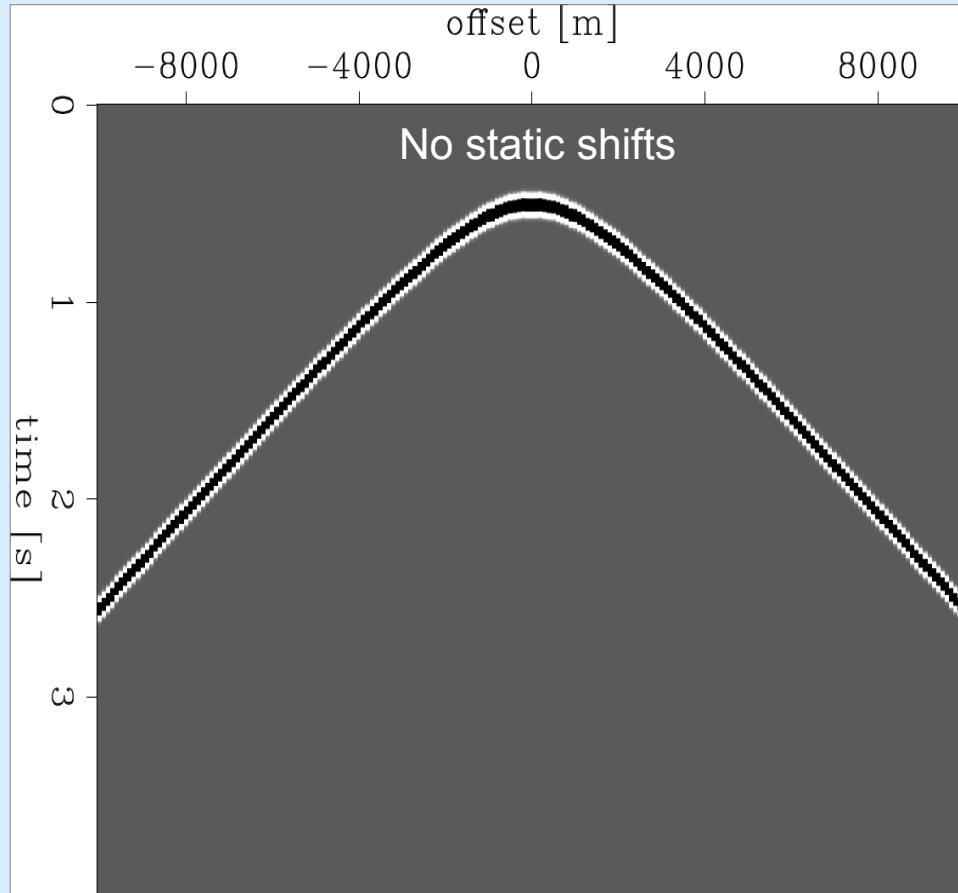
$k = \text{position of the wavelet}$



Starck et al., 2002



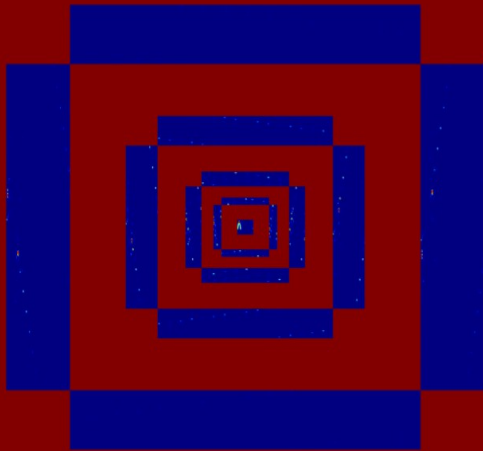
First test



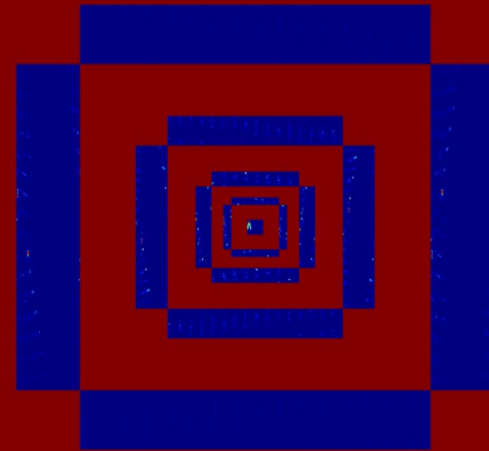


First test

No static shifts

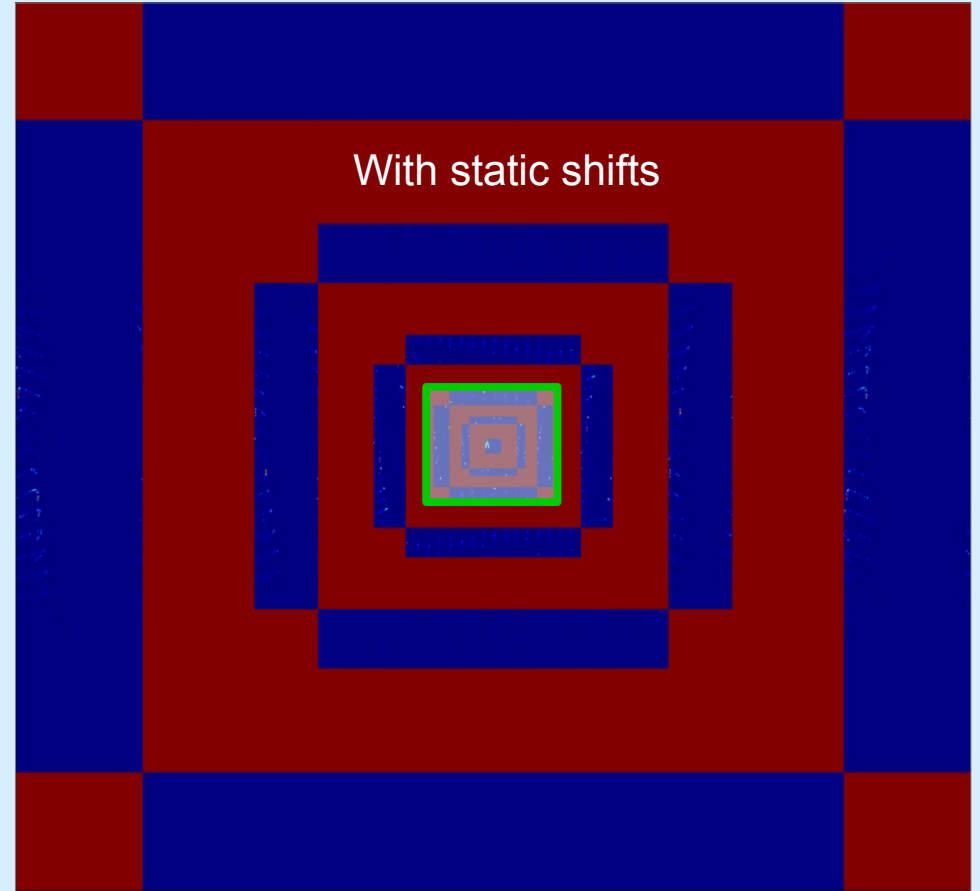
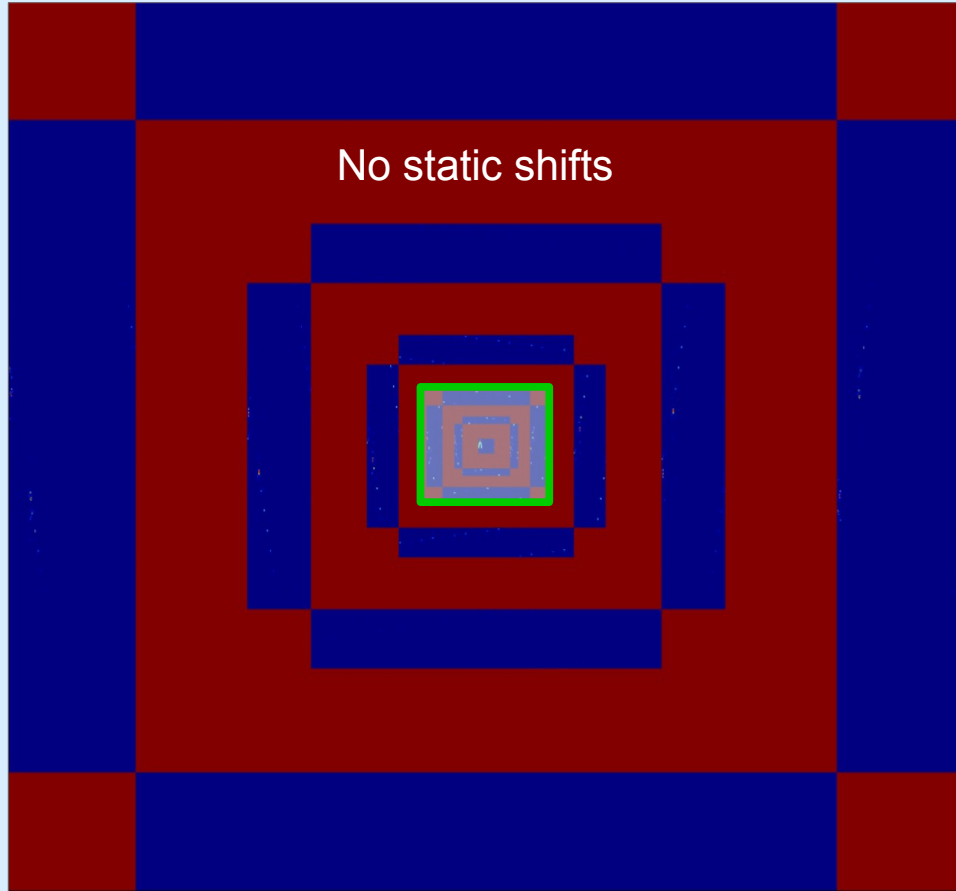


With static shifts



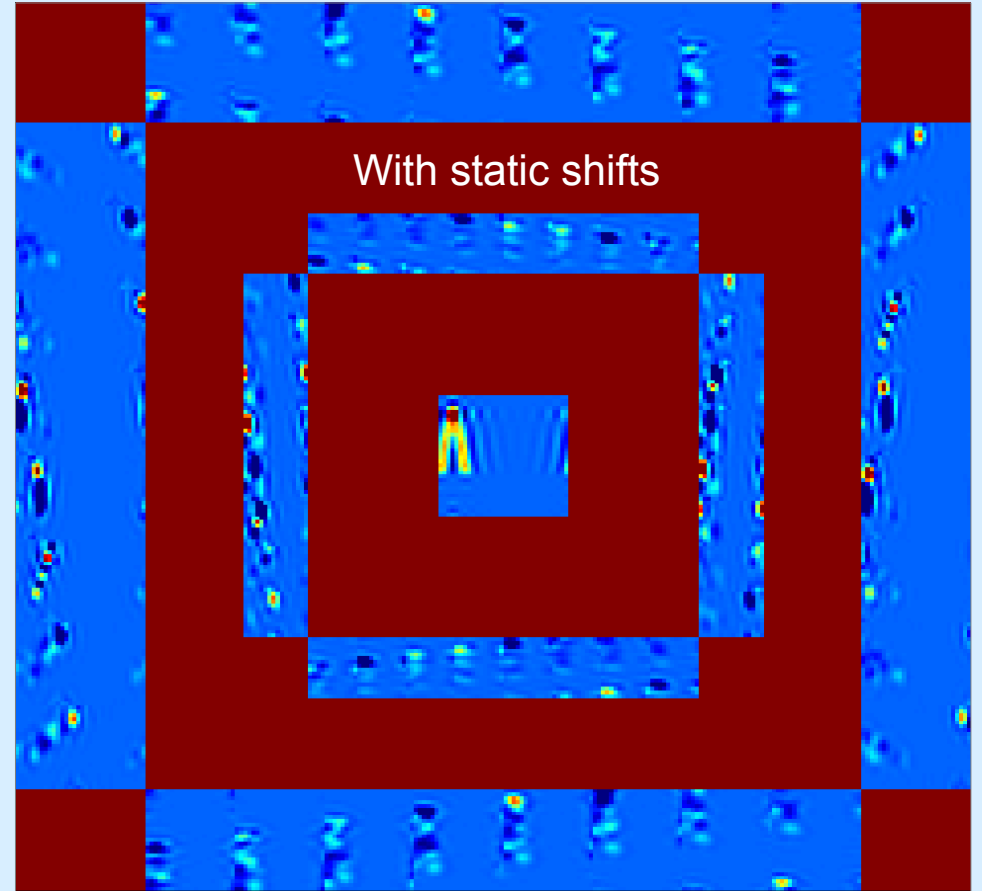
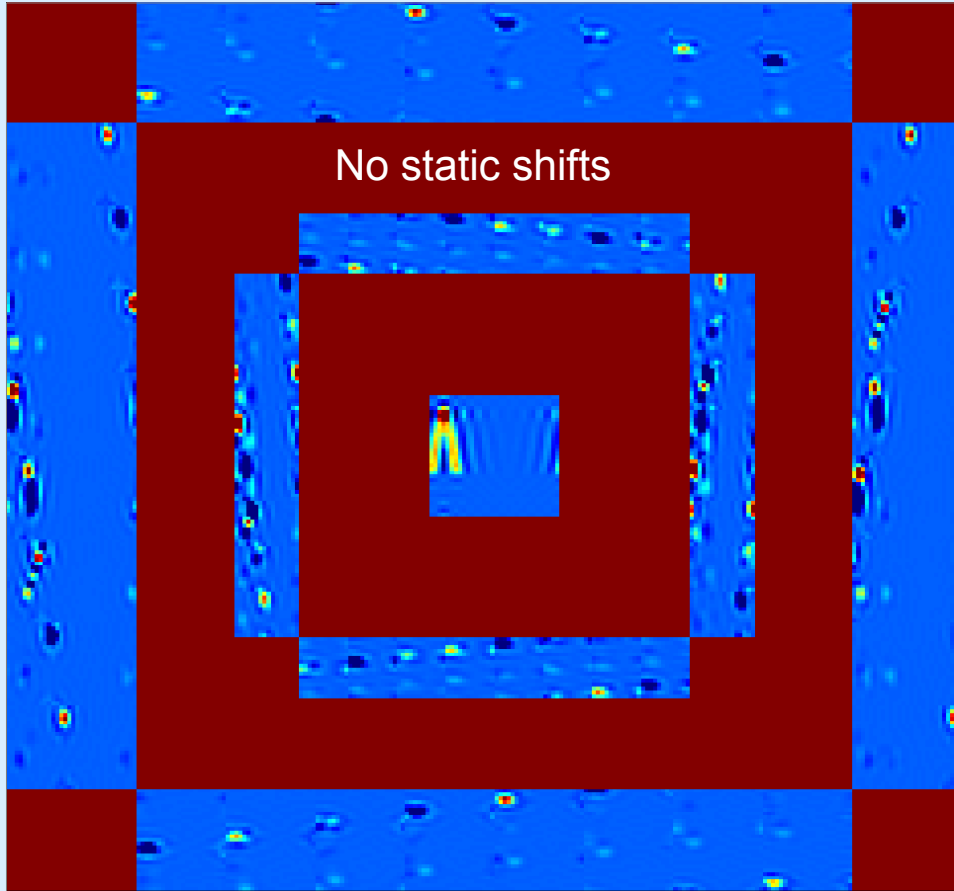


First test



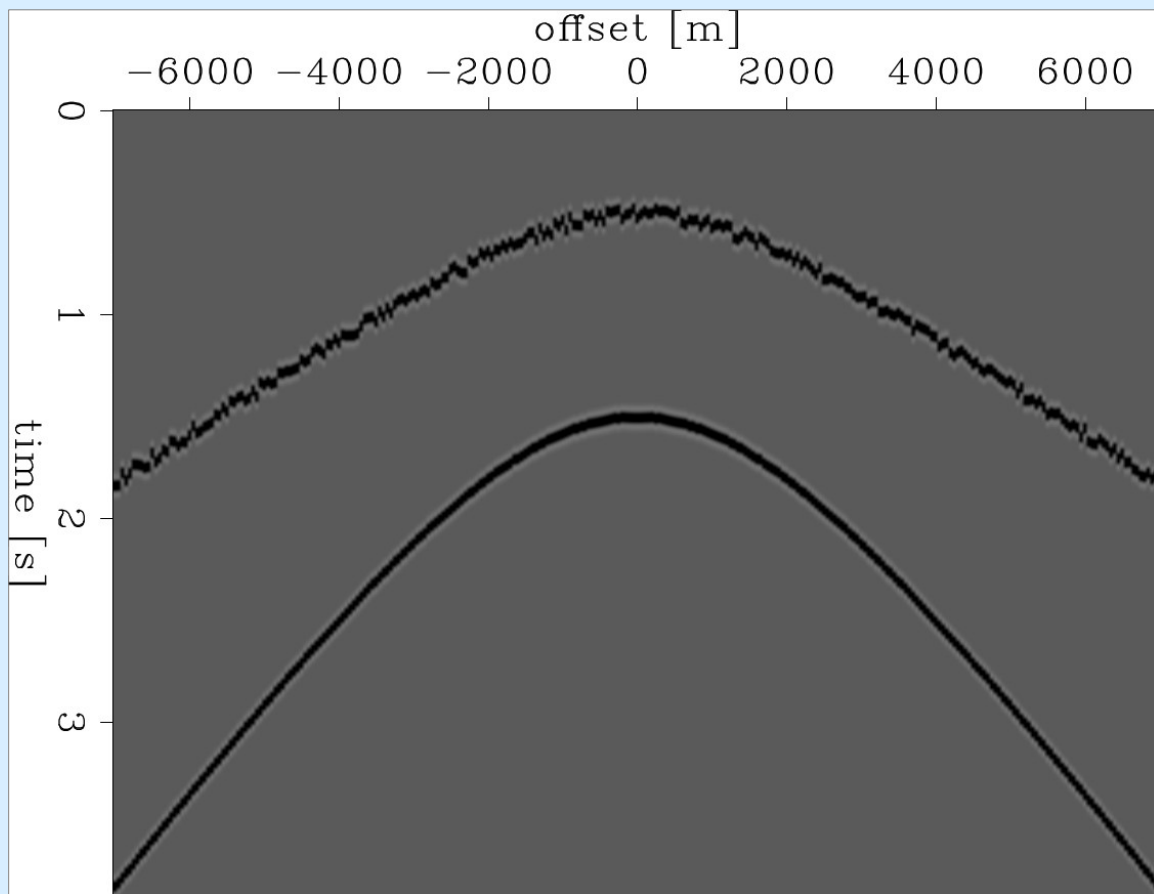


First test



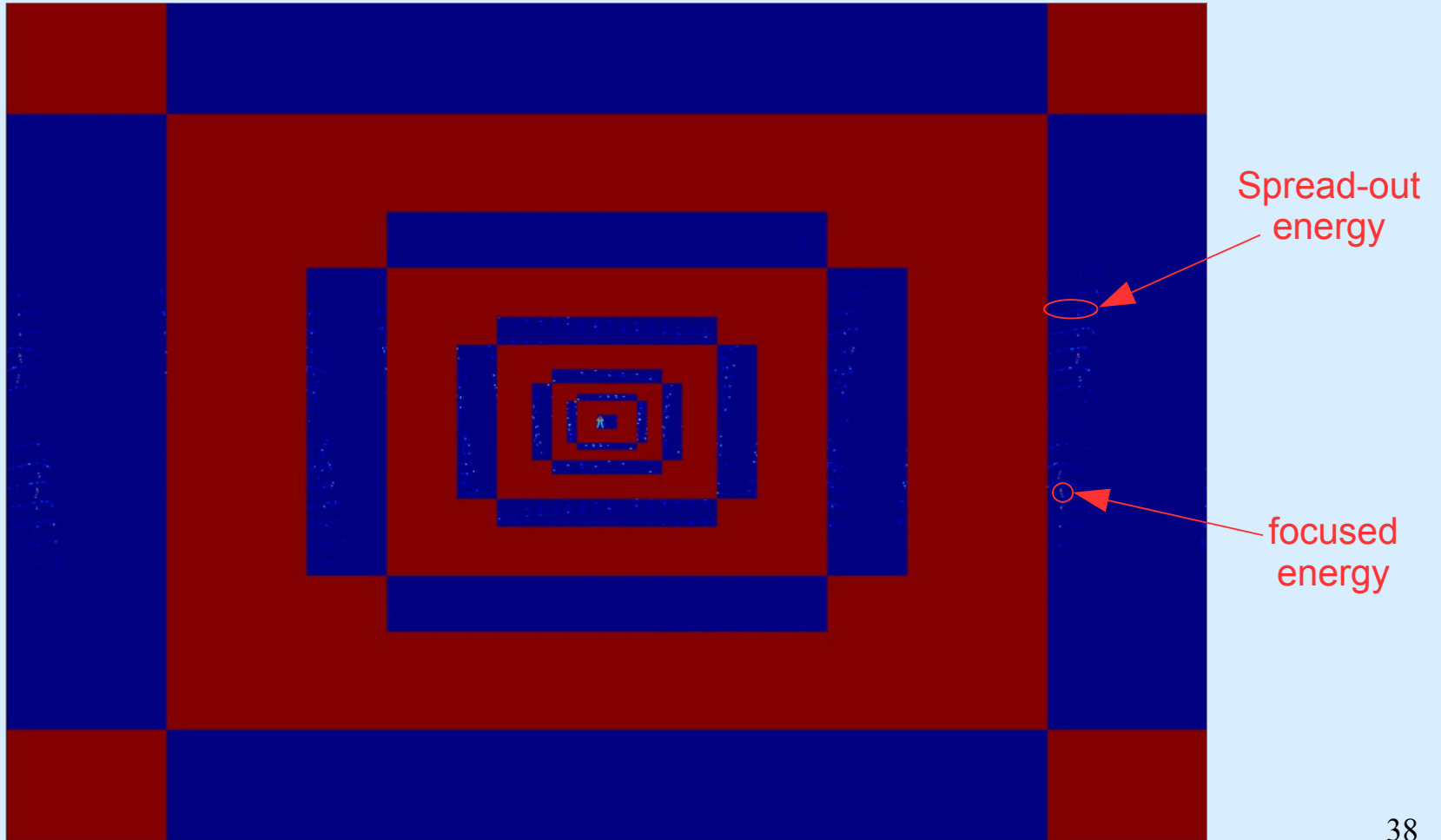


Second test



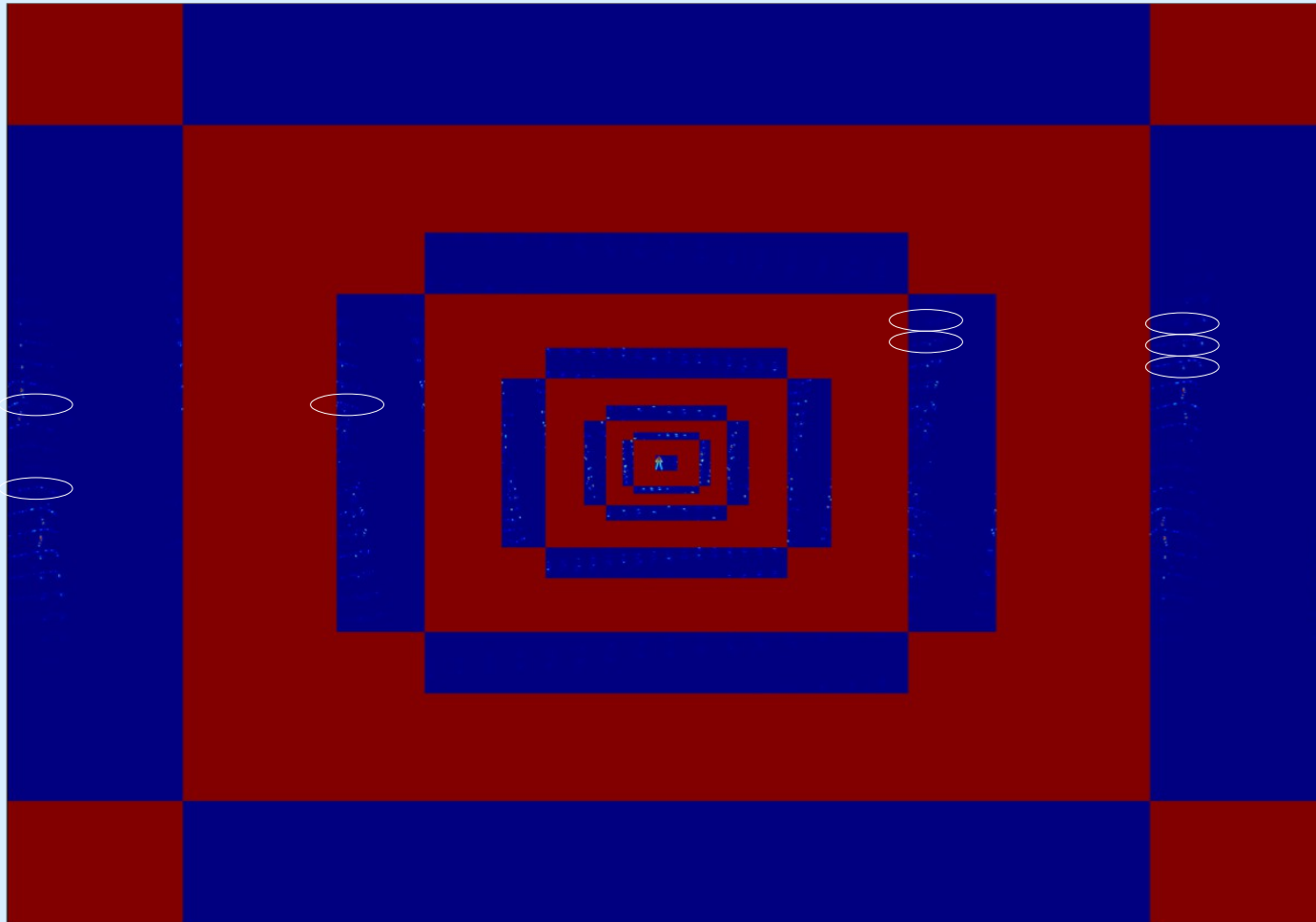


Second test



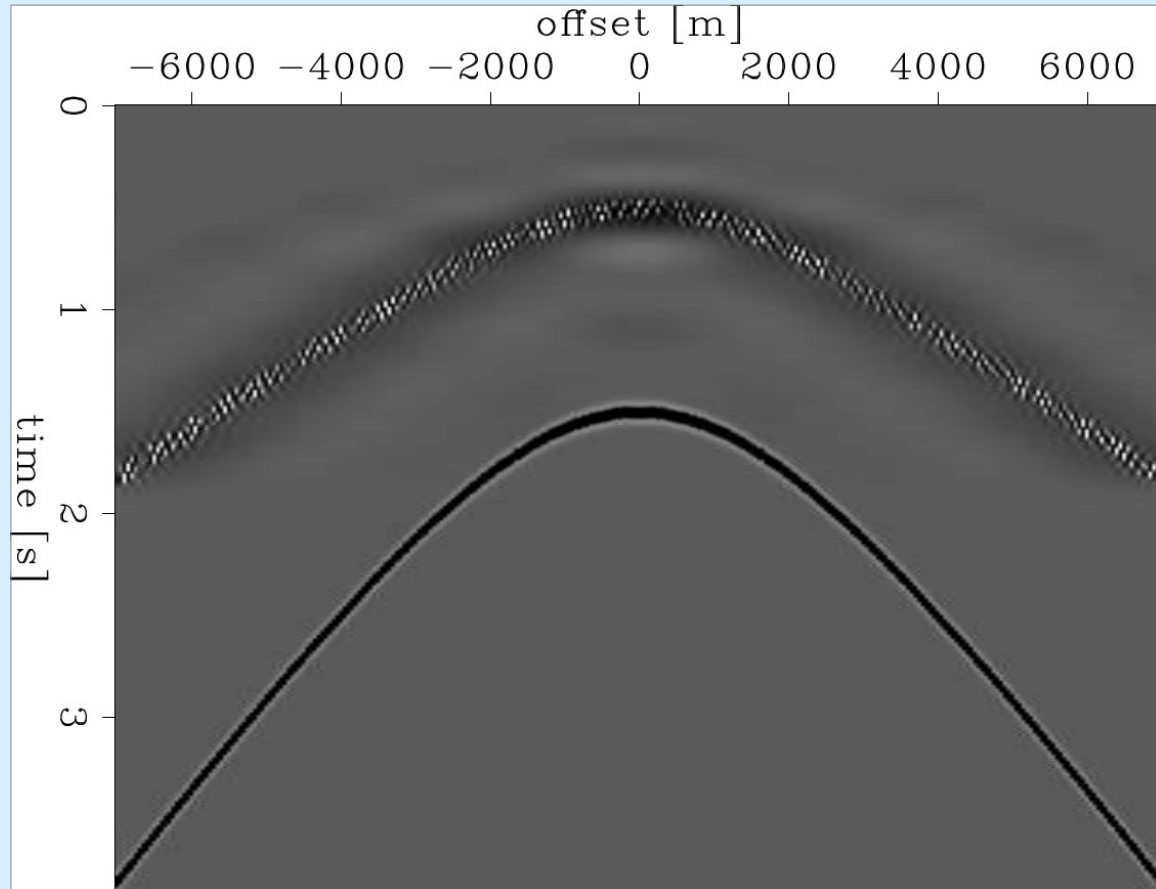


Second test



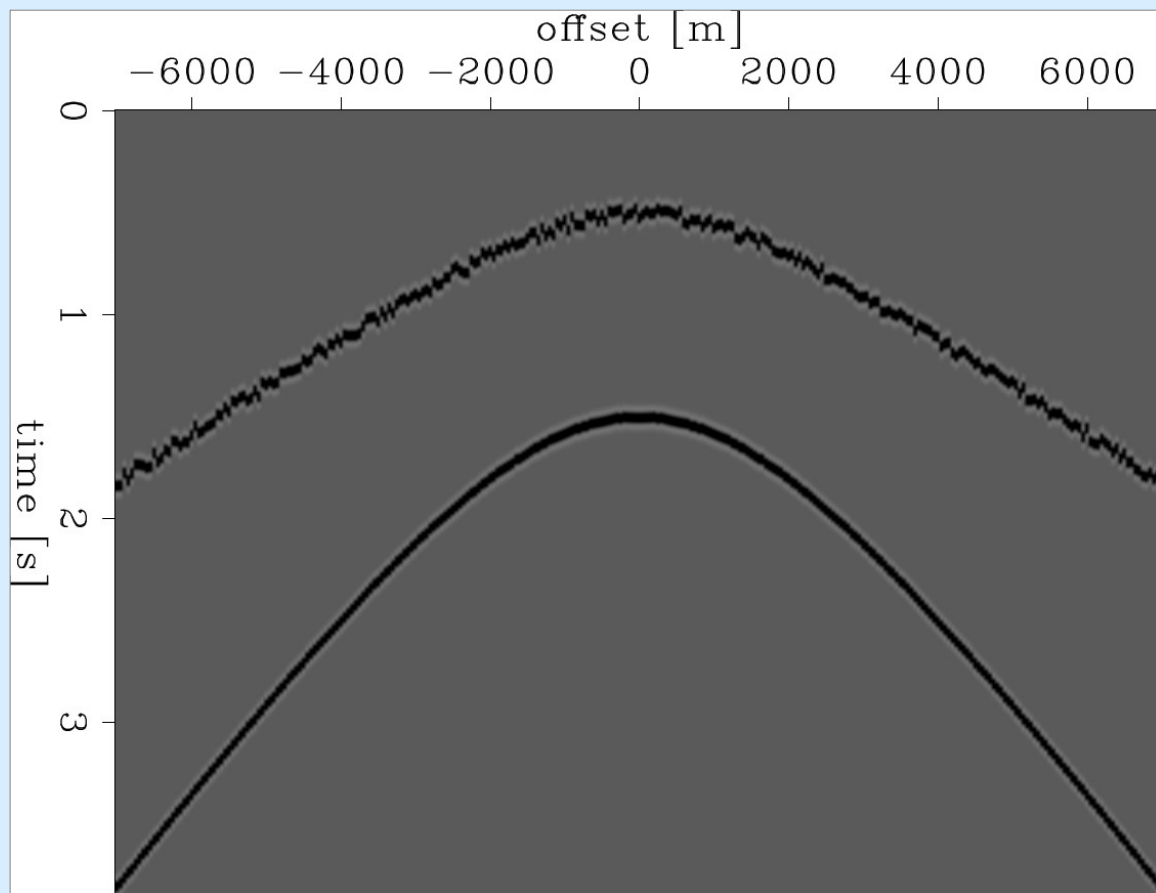


Second test





Second test





Conclusions

- **Toward PZ summation without Z (SEP158-p.323)**
 - Static effects, that should affect up-going energy, can be retrieved by downward continuation



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 - These static effects seem to be captured at fine scale in curvelet domain



Conclusions

- **Toward PZ summation without Z (SEP158-p.323)**
 - Static effects, that should affect up-going energy, can be retrieved by downward continuation
 - These static effects seem to be captured at fine scale in curvelet domain
 - Continue to explore this single-component up-down separation



Acknowledgments

We thank **Seabed Geosolutions** for releasing the field data and for supporting the data handover by **Paul Milligan** and **Shuki Ronen**.

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Thanks for your attention

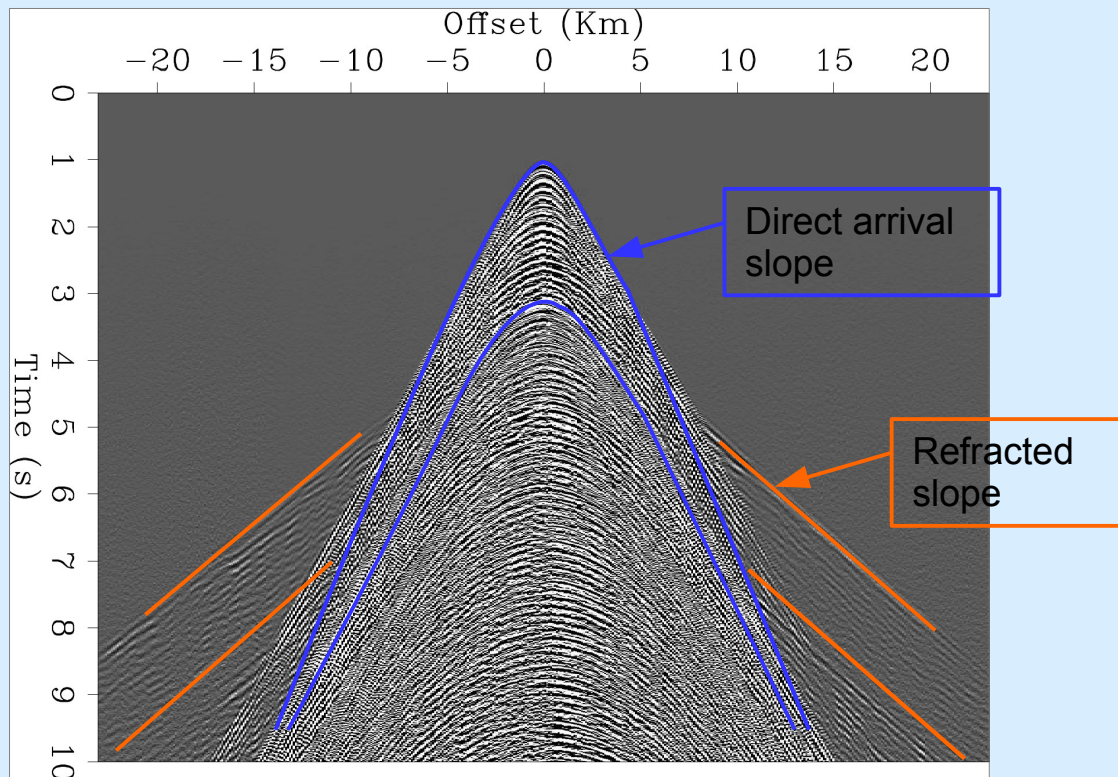
18-21 May 2015



Up-down separation

$$P_{up}(f, k) = \frac{1}{2} P(f, k) + \frac{q_0}{2q(f, k)} A(f) \frac{\rho}{q_0} Z(f, k) = \frac{1}{2} P(f, k) + \frac{q_0}{2q(f, k)} C(f) Z(f, k)$$

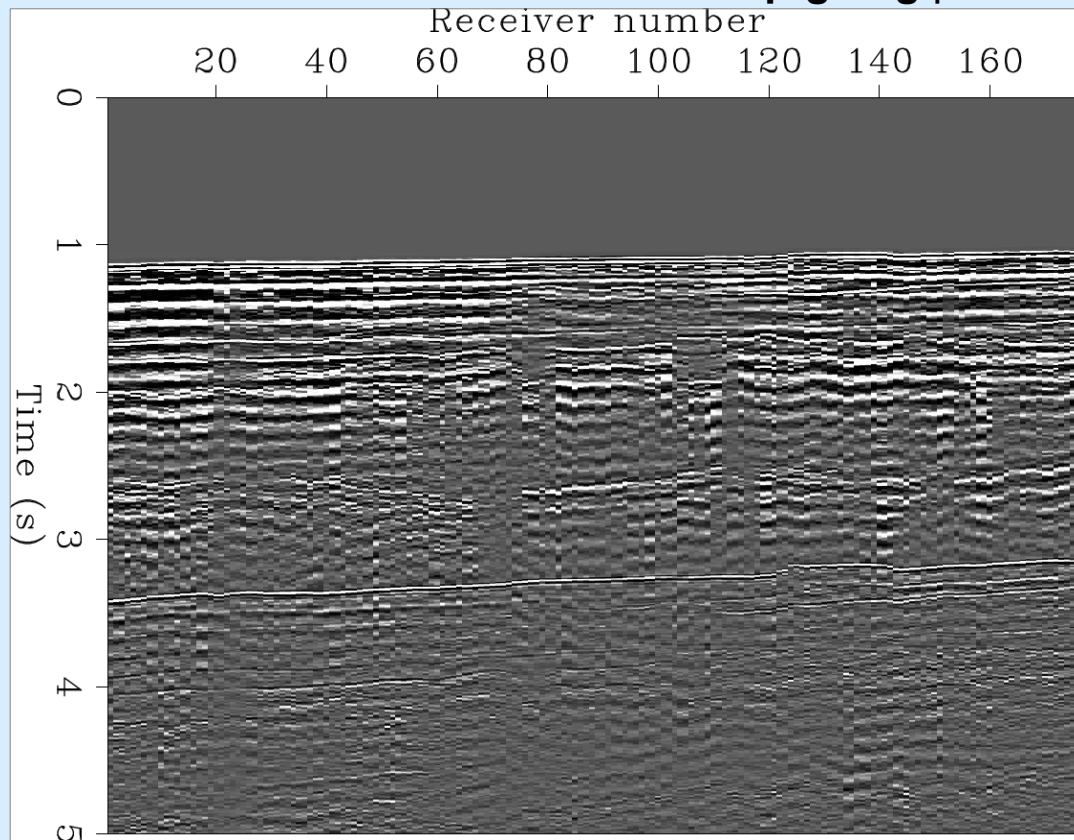
We have to **estimate**
the **slowness** factor
for the **other**
portions of the
gather.





Up-down separation

Near **constant-offset** section of the **up-going** pressure





Up-down separation

Near **constant-offset** section of the **down-going** pressure

