Separation of simultaneous source blended data using radiality and source similarity attributes pp. 239-256

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# Deblending

Underdetermined problem

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## $d(t) = s_1(t) + s_2(t)$

## Constraints

Requires constraints (regularization)

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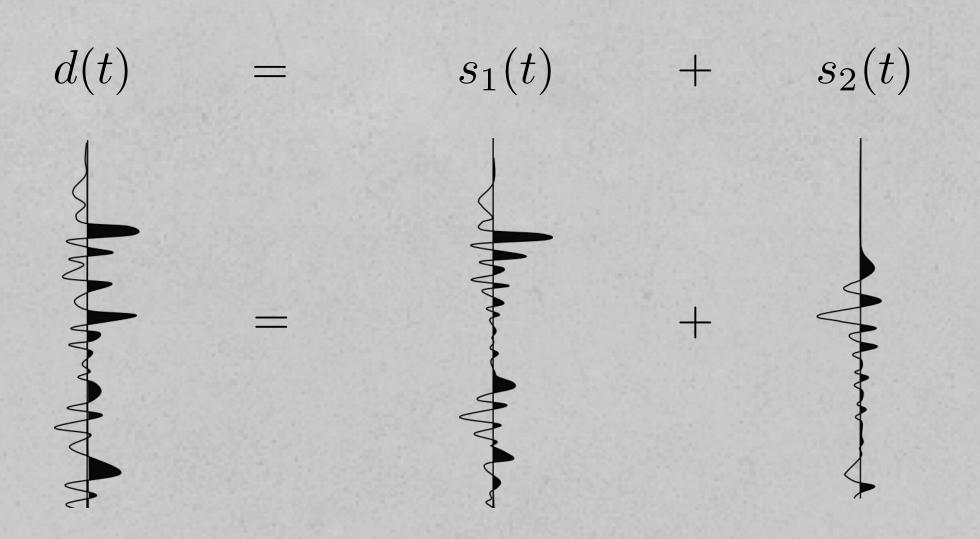
- Requires constraints (regularization)
  - Continuity in common receiver gathers (CRG)

- Same reflectivity model

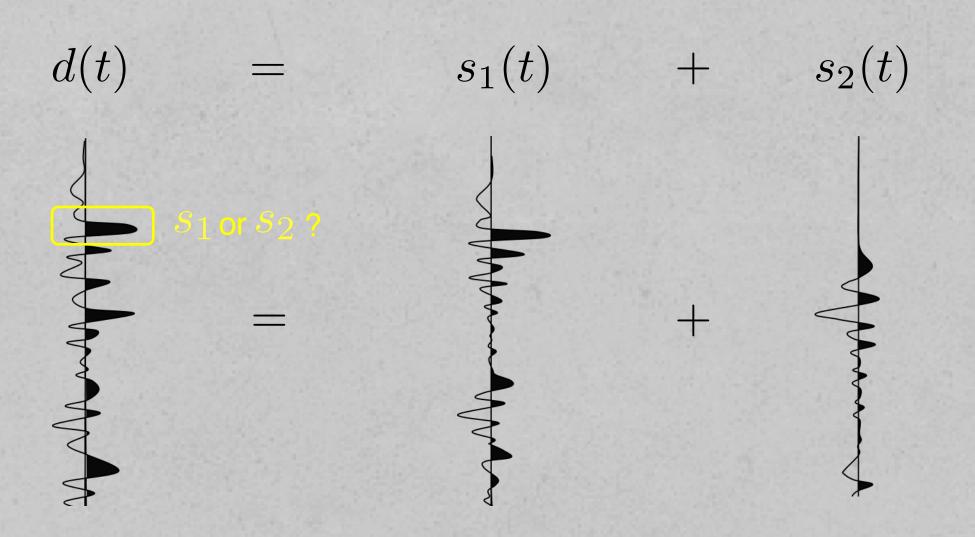
# Constraints

- Requires constraints (regularization)
  - Continuity in common receiver gathers (CRG)
  - Same reflectivity model
  - Relative probability of the presence of the dominant source at any time

## **Dominant source**



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### Example

$$d(t) = s_1(t) + s_2(t)$$

$$2 = x_1 + x_2$$

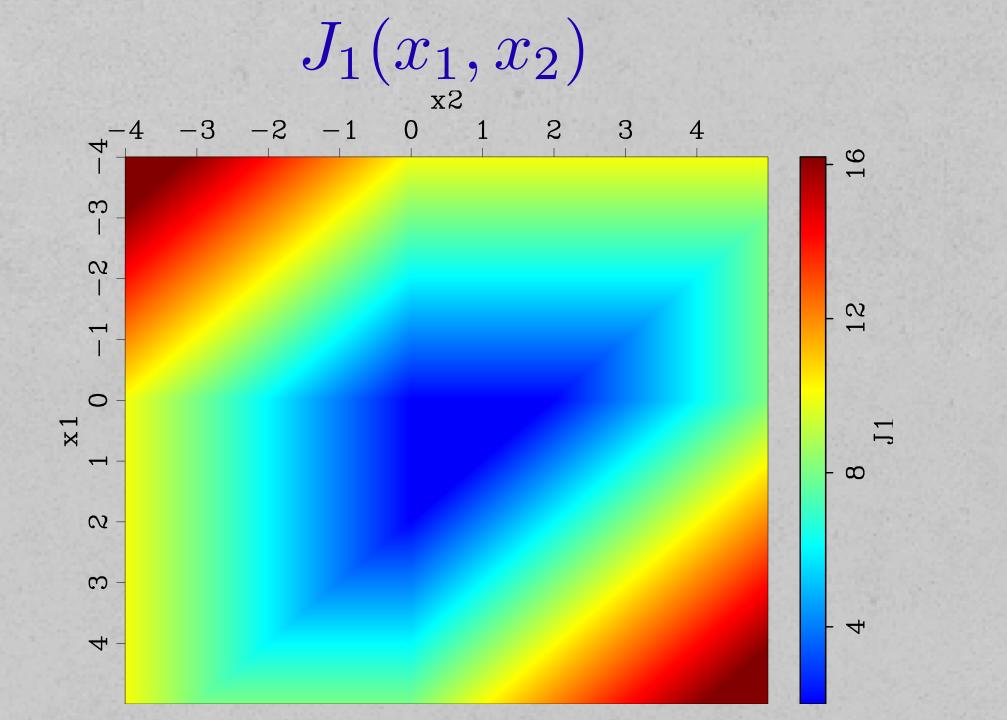
### Example

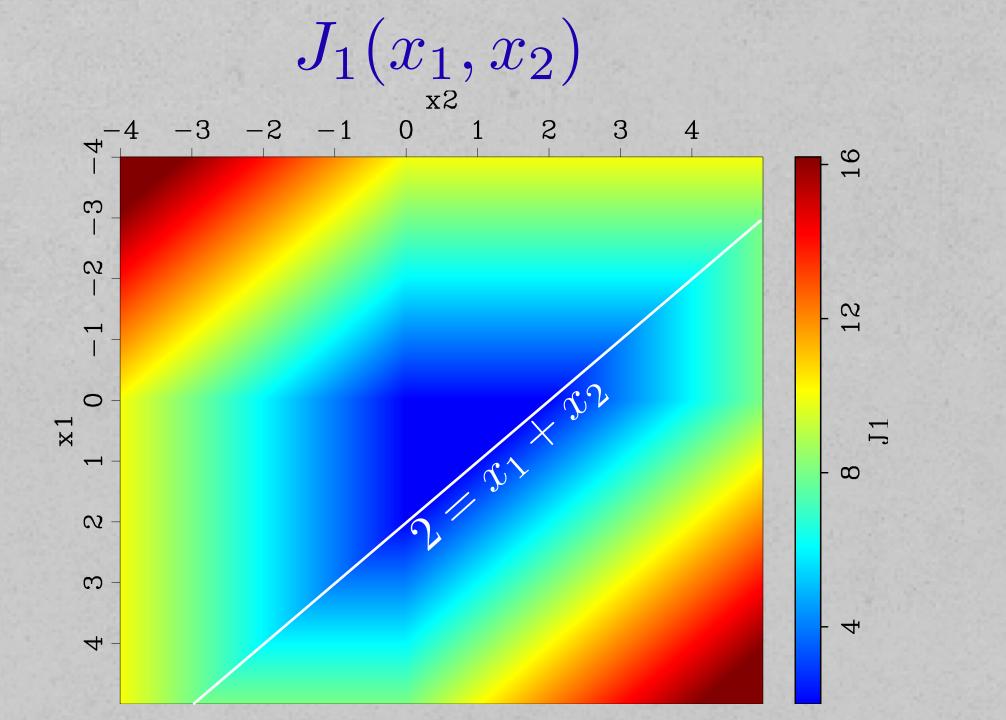
$$d(t) = s_1(t) + s_2(t)$$
$$2 = x_1 + x_2$$
$$0 \approx x_1$$

 $0 \approx x_2$ 

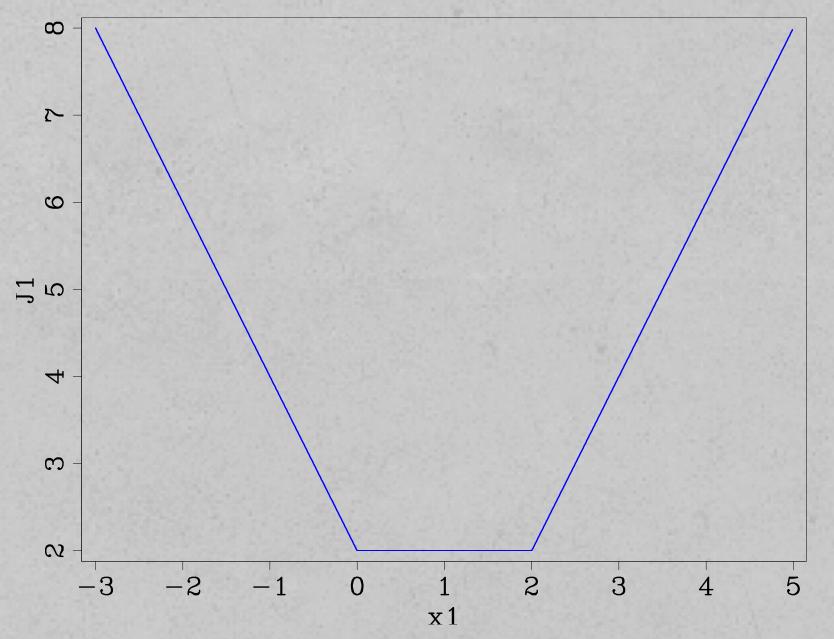
#### Minimize this objective function

### $J_1(x_1, x_2) = ||2 - (x_1 + x_2)||_1 + ||x_1||_1 + ||x_2||_1$





 $J_1(x_1)$ 



#### **Additional information**

$$2 = x_1 + x_2$$

 $p_2 \rightarrow$  the probability that  $x_2 = 0$ 

#### **Additional information**

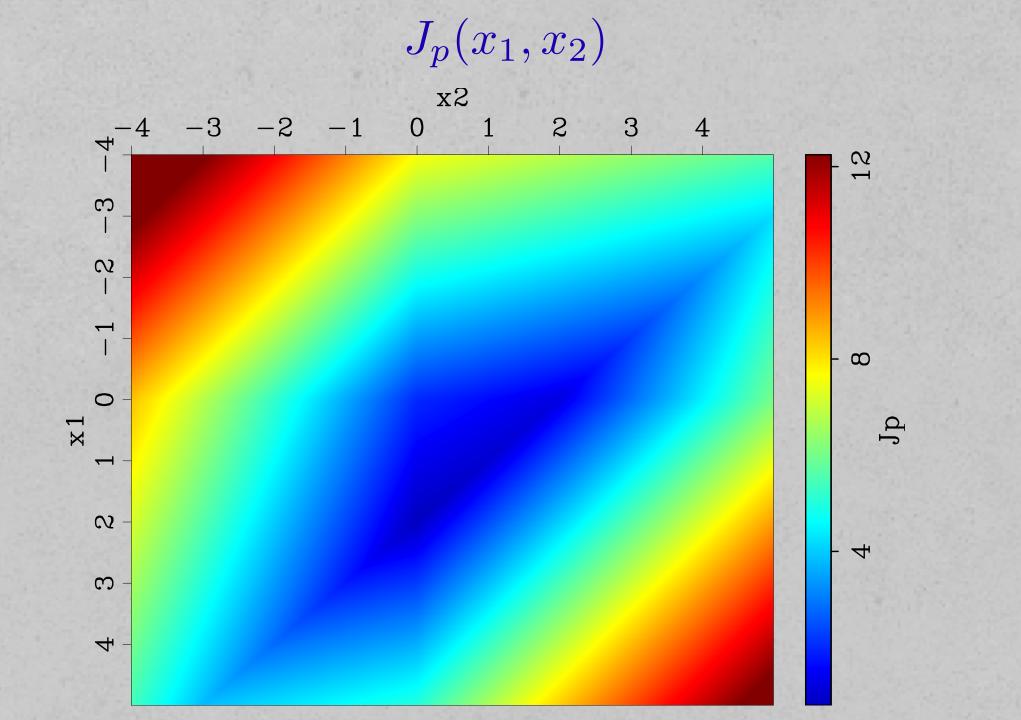
$$2 = x_1 + x_2$$

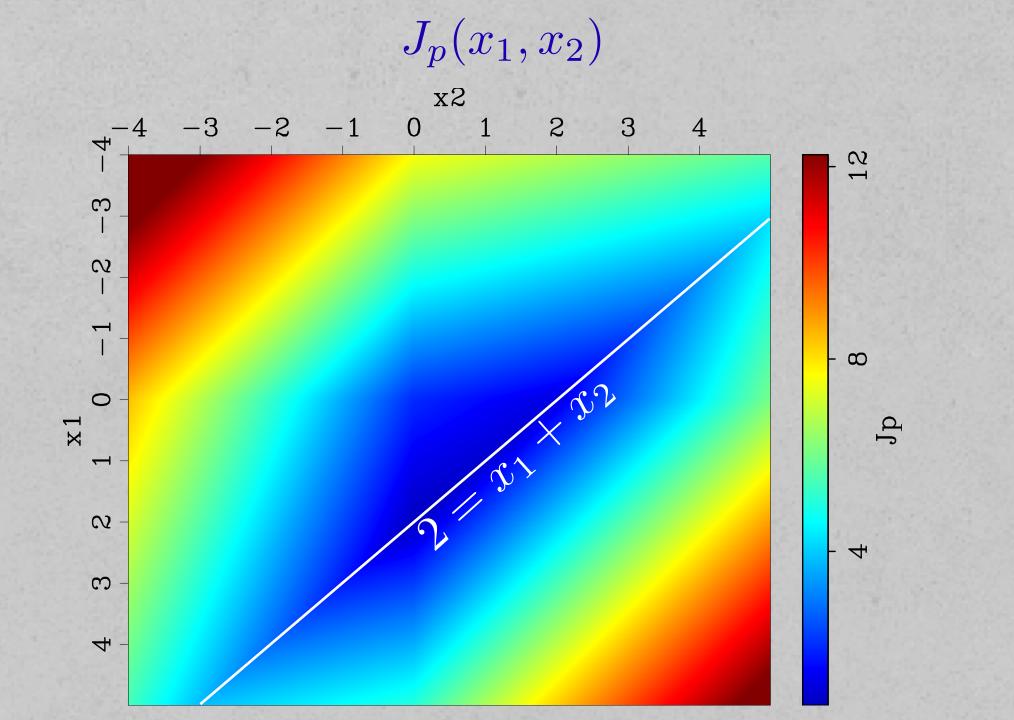
 $p_2 \rightarrow$  the probability that  $x_2 = 0$ 

$$p_2 = 0.6$$
$$p_1 = 1 - p_2$$
$$0 \le p_1 \le 1$$
$$0 \le p_2 \le 1$$

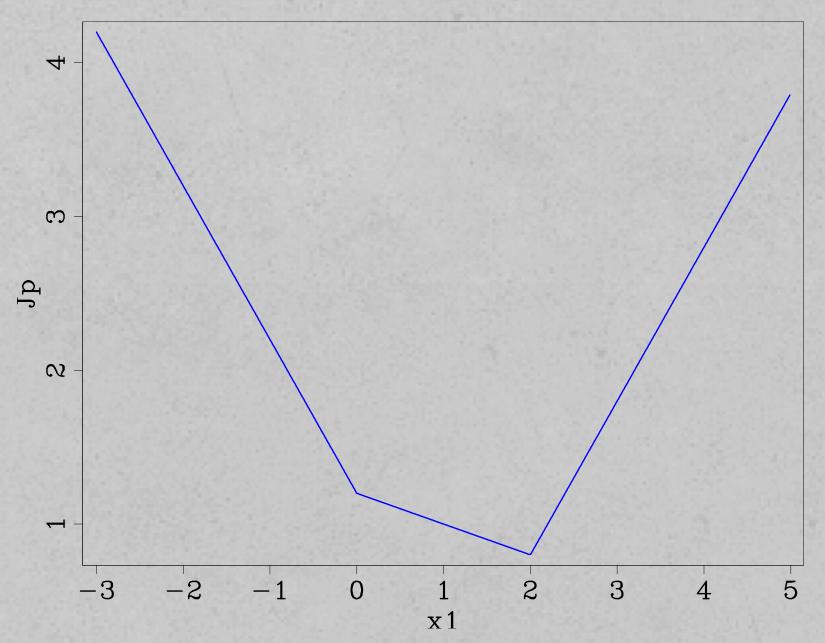
### Probability penalty

$$J_p(x_1, x_2) = ||2 - (x_1 + x_2)||_1 + ||p_1 x_1||_1 + ||p_2 x_2||_1$$
$$p_1 = 0.4, \ p_2 = 0.6$$

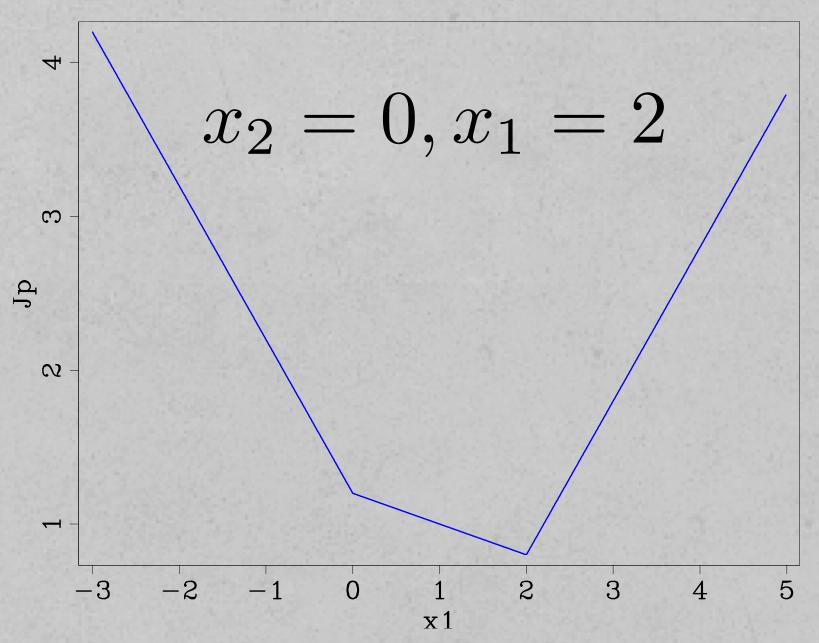




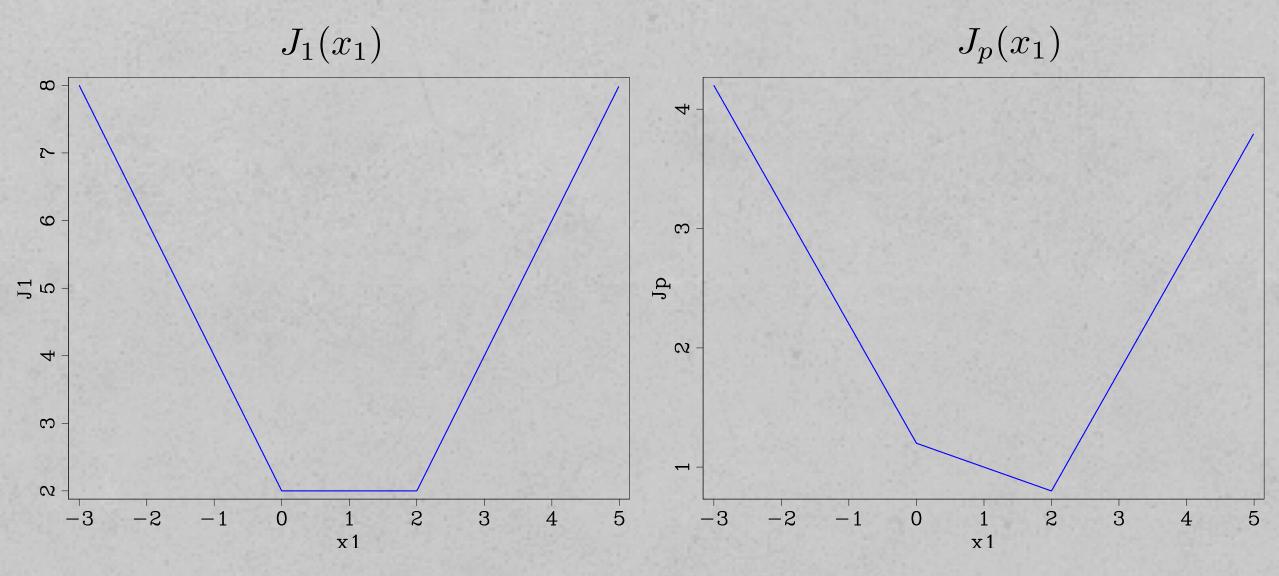
 $J_p(x_1)$ 



 $J_p(x_1)$ 



### Comparison



# Obtaining $p_1$ and $p_2$

How can we get  $p_1$  and  $p_2$ ?

Let's look at two attributes:

- Radiality multicomponent data/source position
- Similarity changes in source signature

# Obtaining $p_1$ and $p_2$

How can we get  $p_1$  and  $p_2$ ?

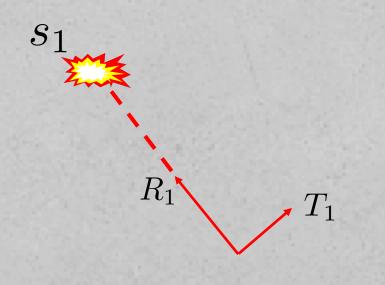
Let's look at two attributes:

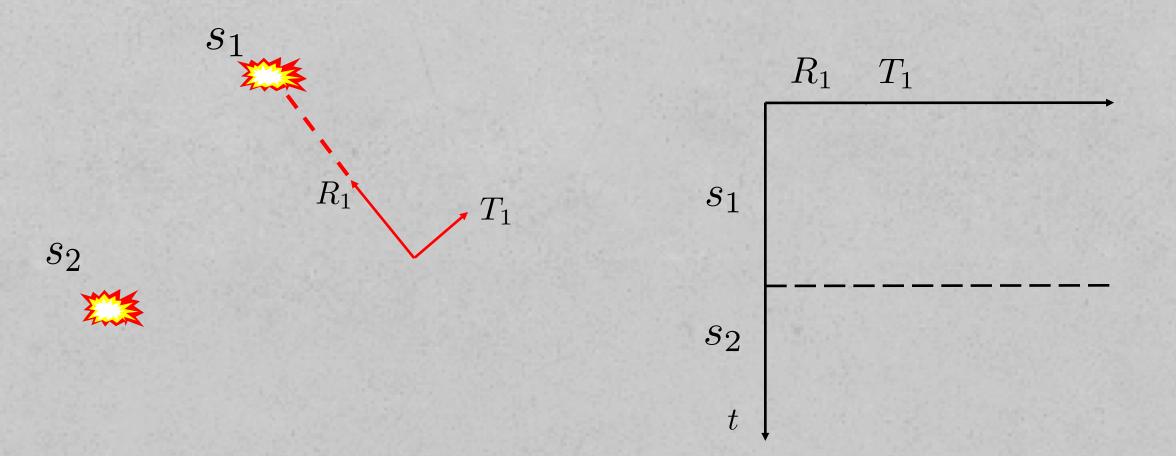
- Radiality multicomponent data/source position
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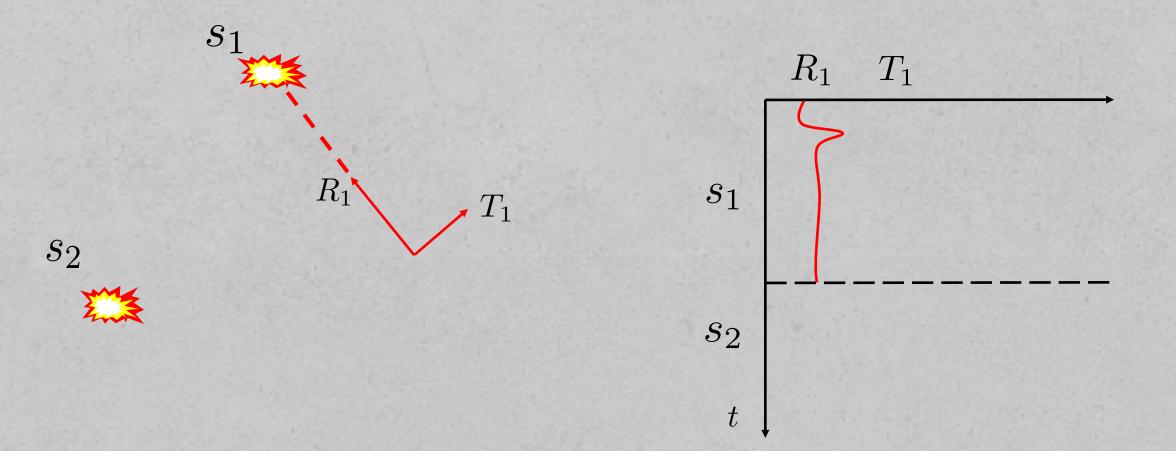


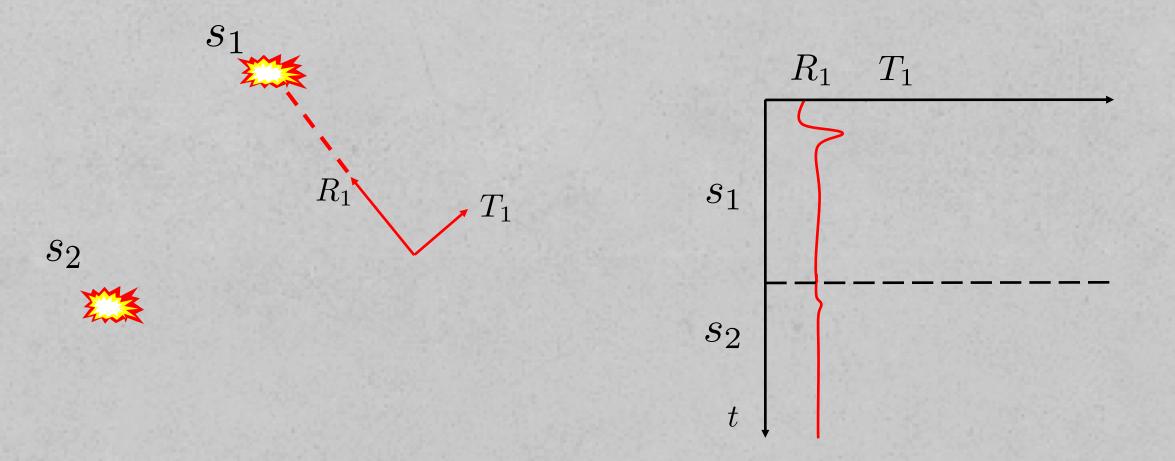


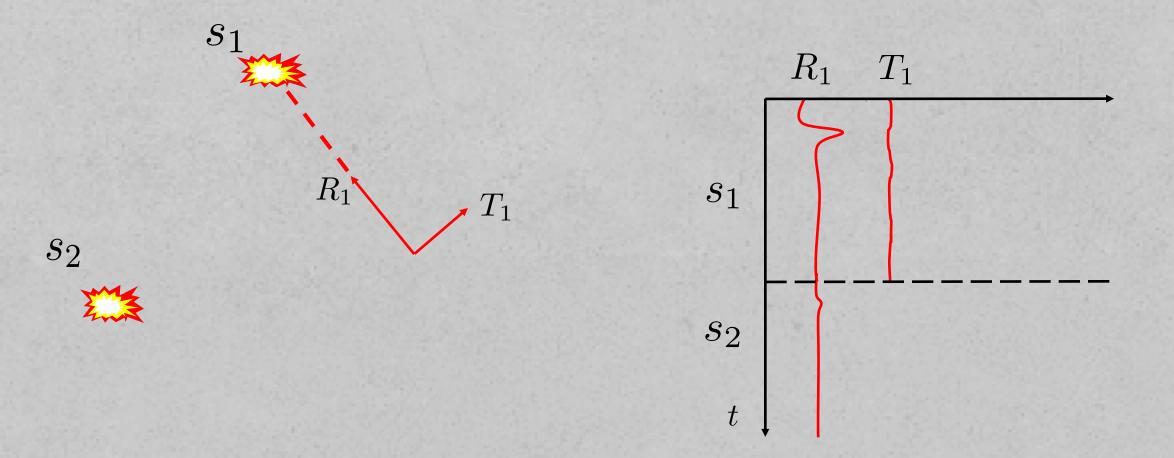


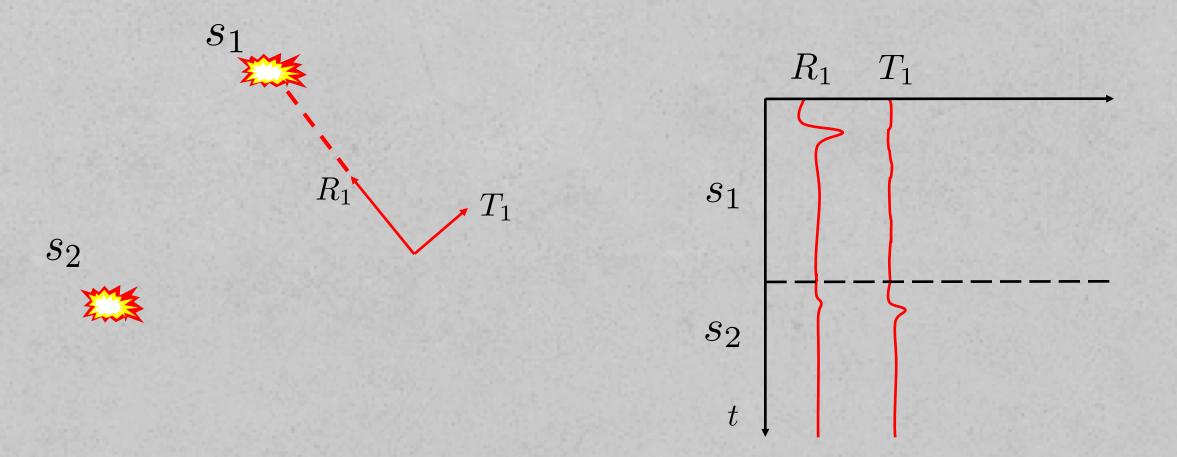


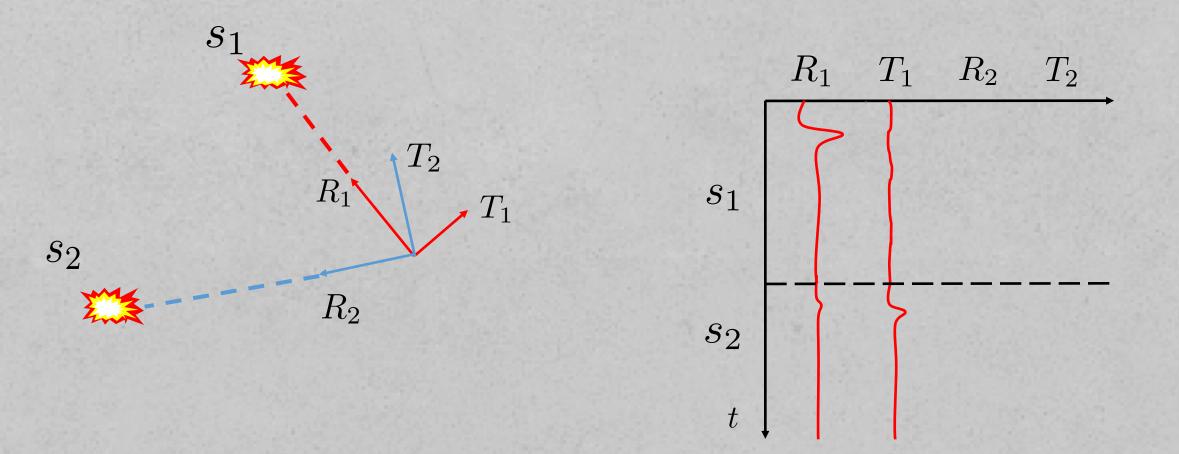


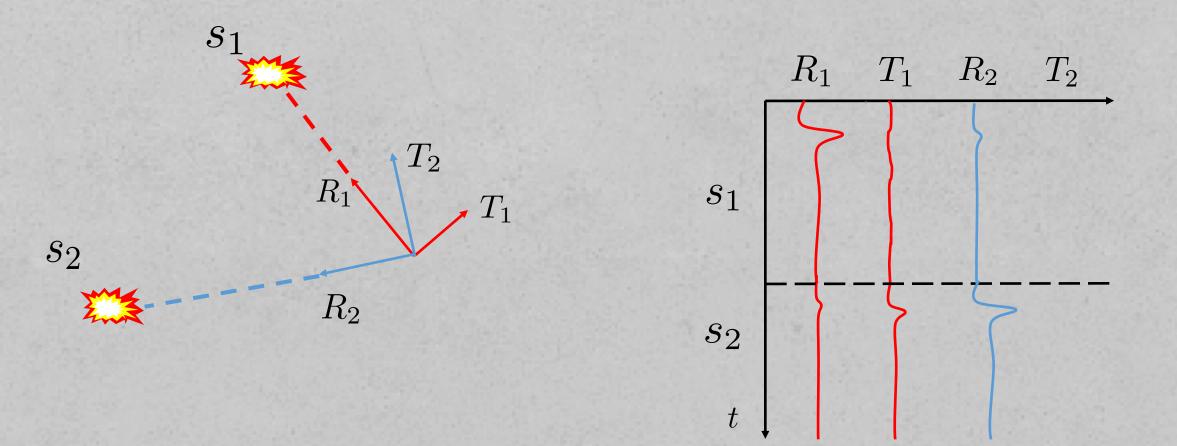


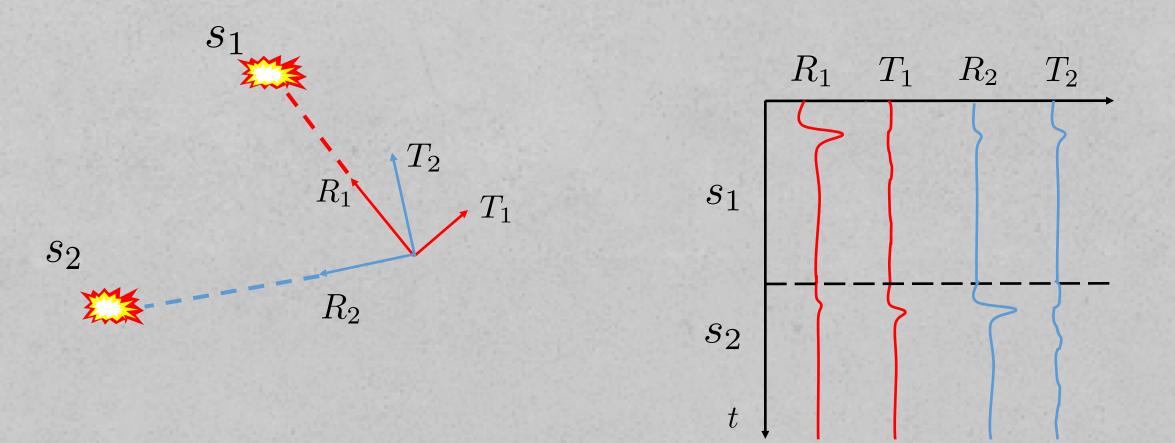


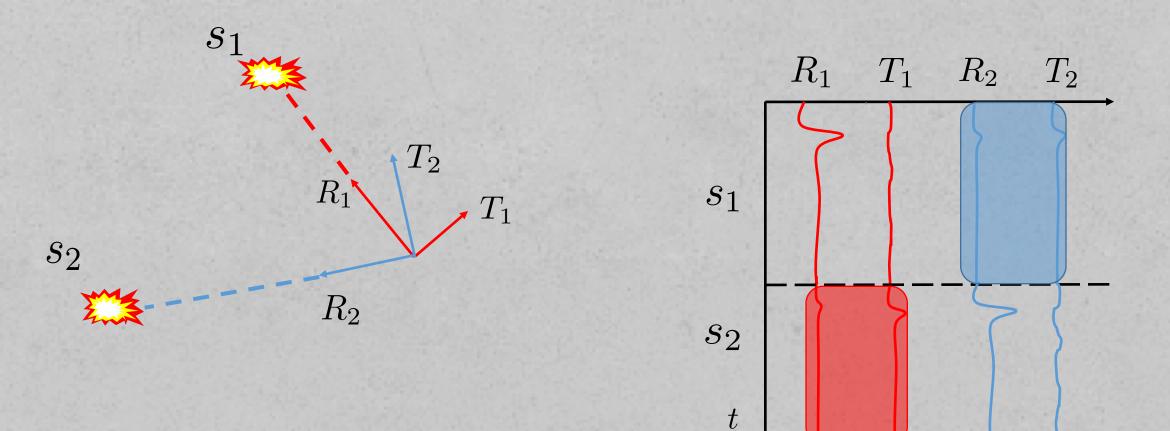










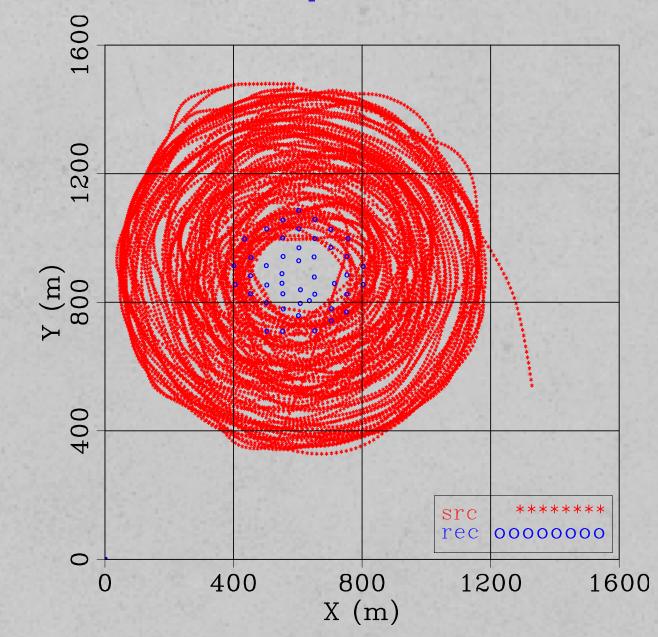


### Radiality

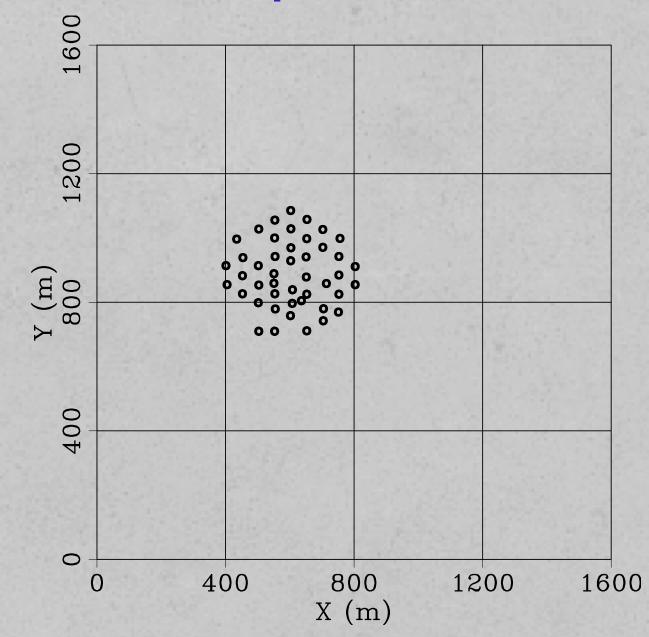
$$\mathsf{Radiality} = \frac{E_{\mathrm{radial}}}{E_{\mathrm{transverse}}}$$

#### $E \rightarrow \mbox{Envelope}$ of a seismic trace

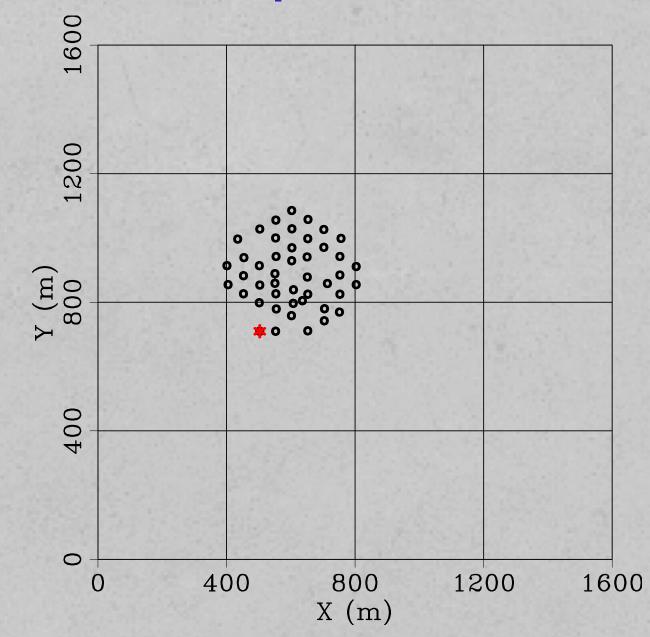
# Shot-Recv Map: Delta Platform

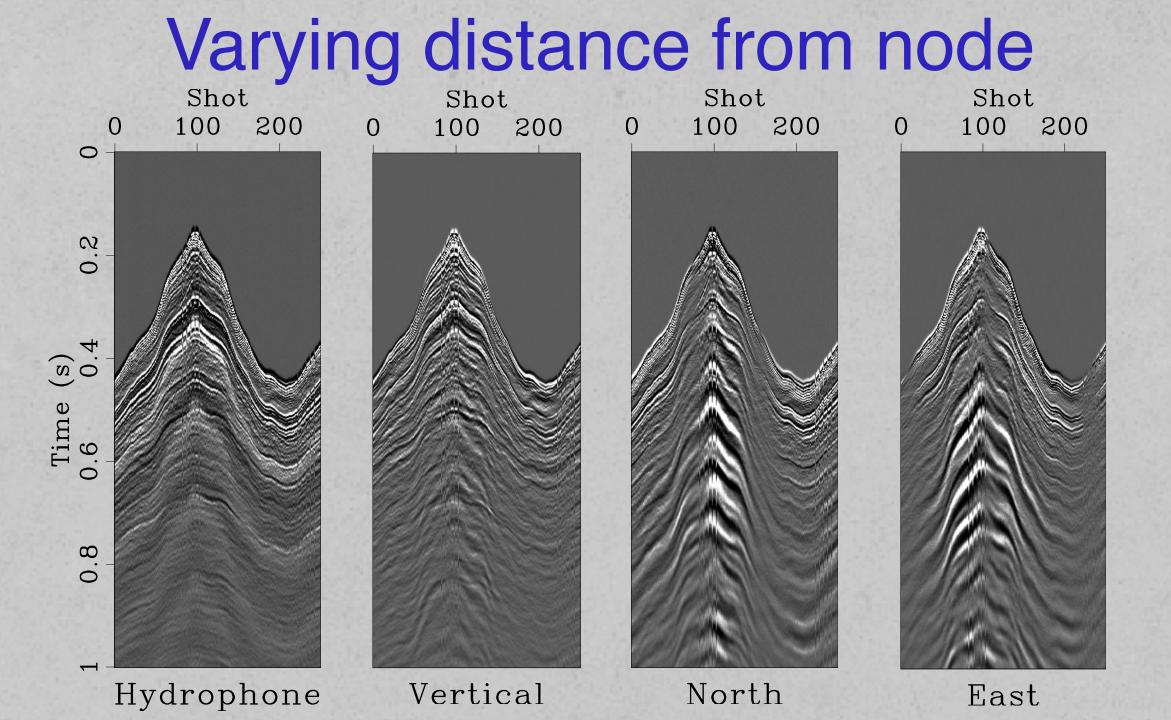


# **Receiver Map: Delta Platform**

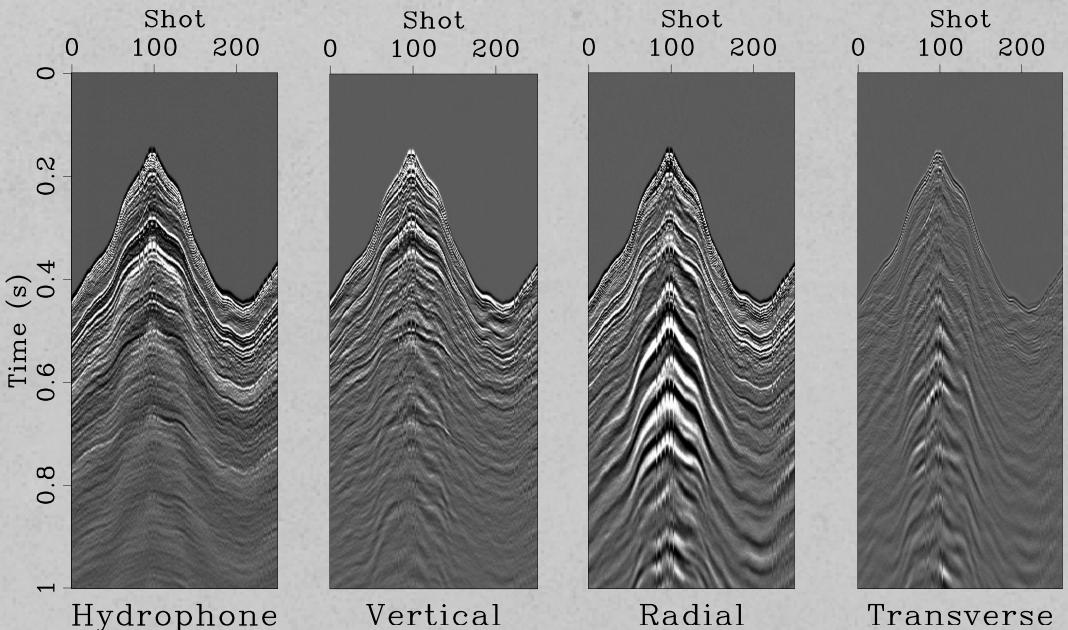


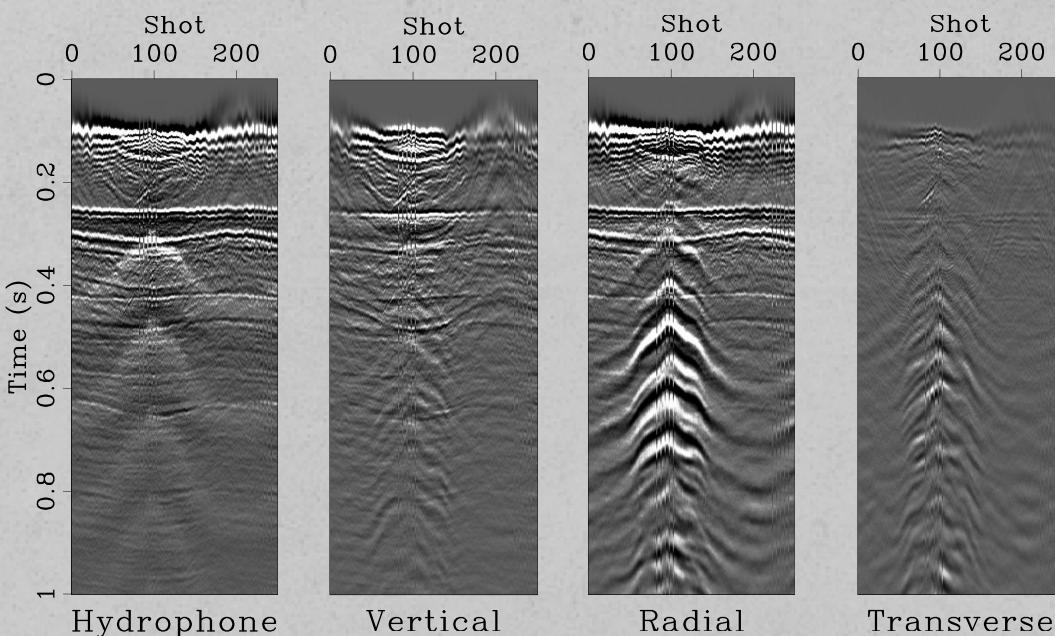
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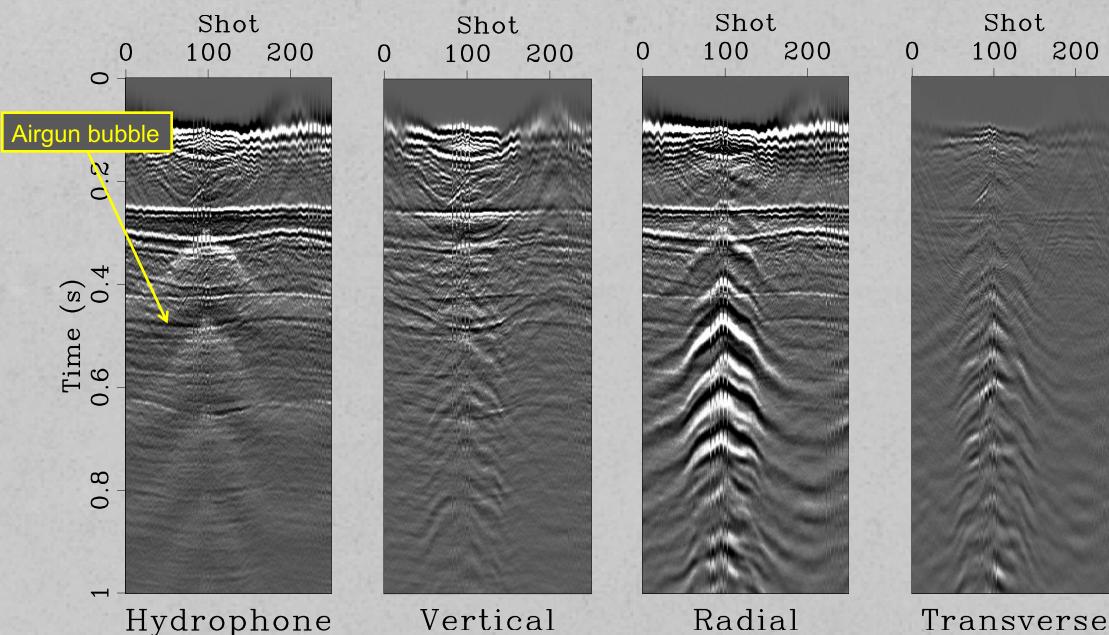


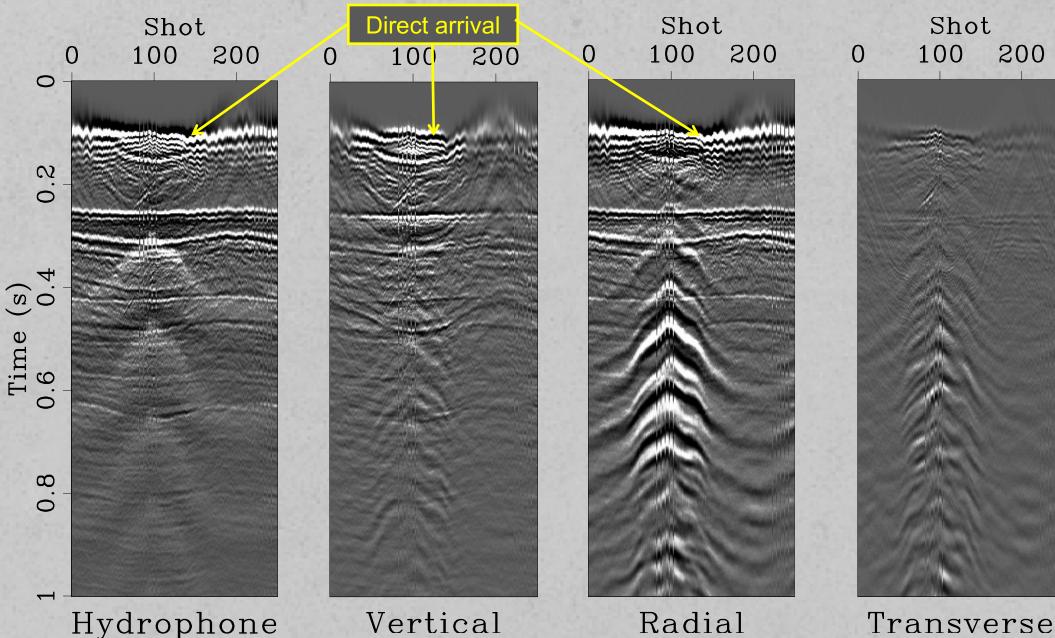


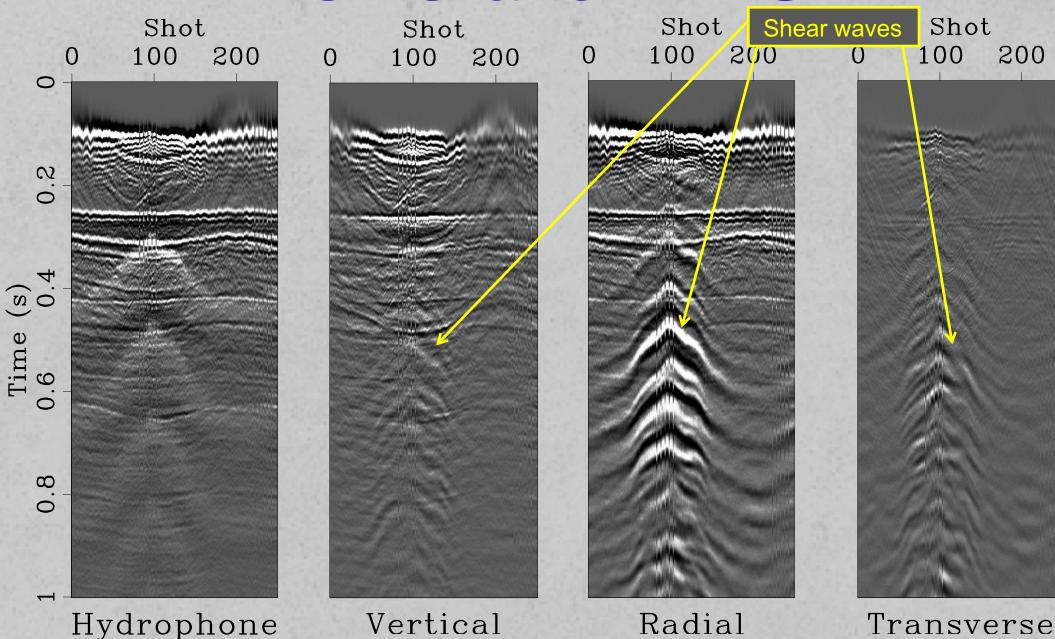
# **Rotated toward source**

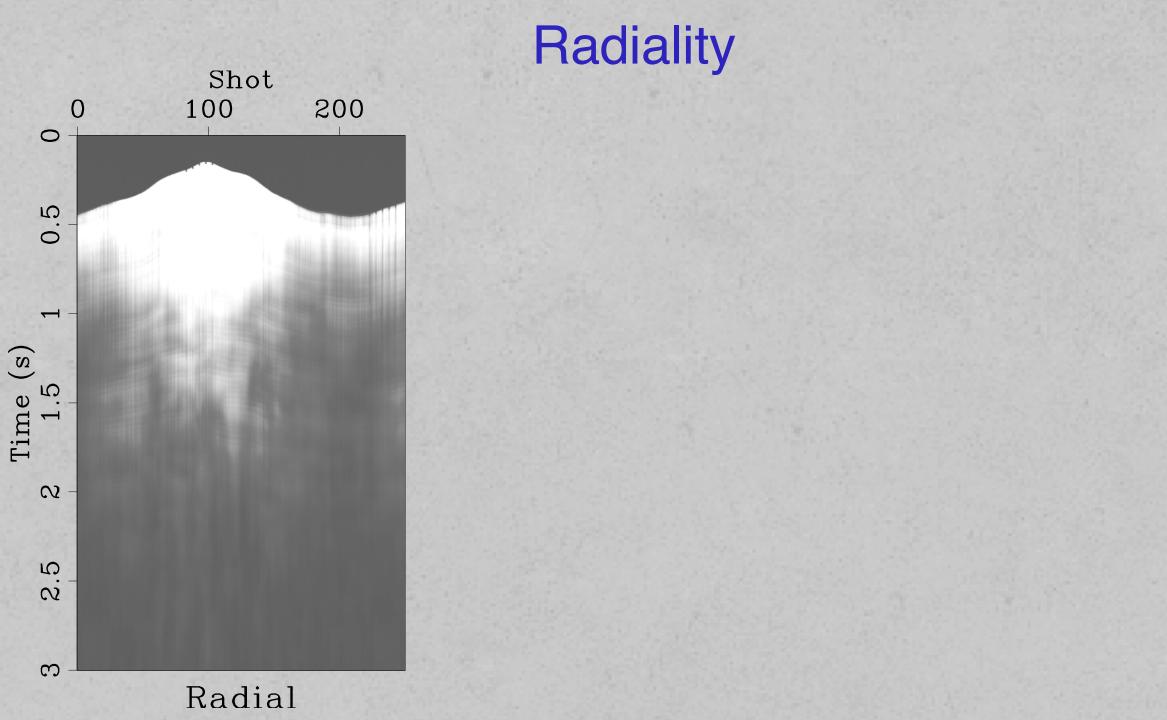


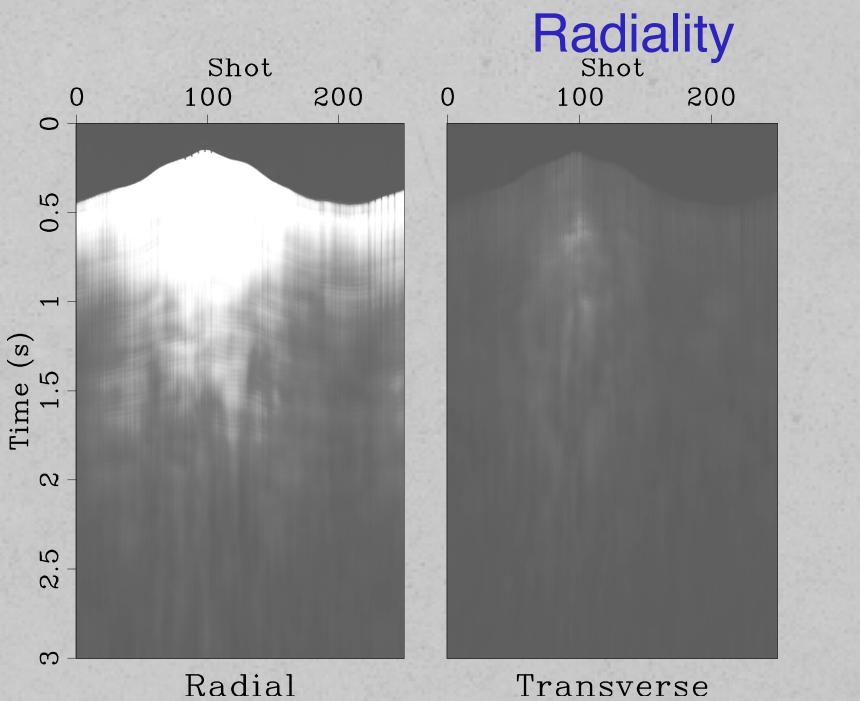


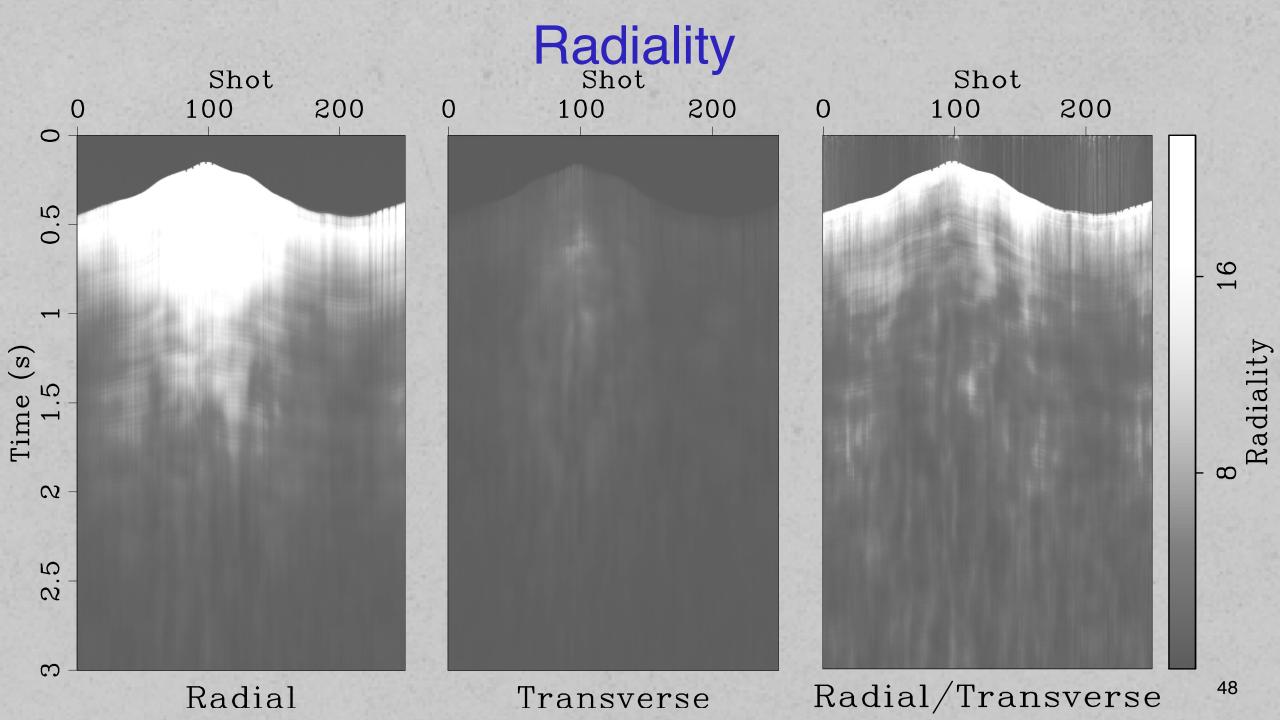


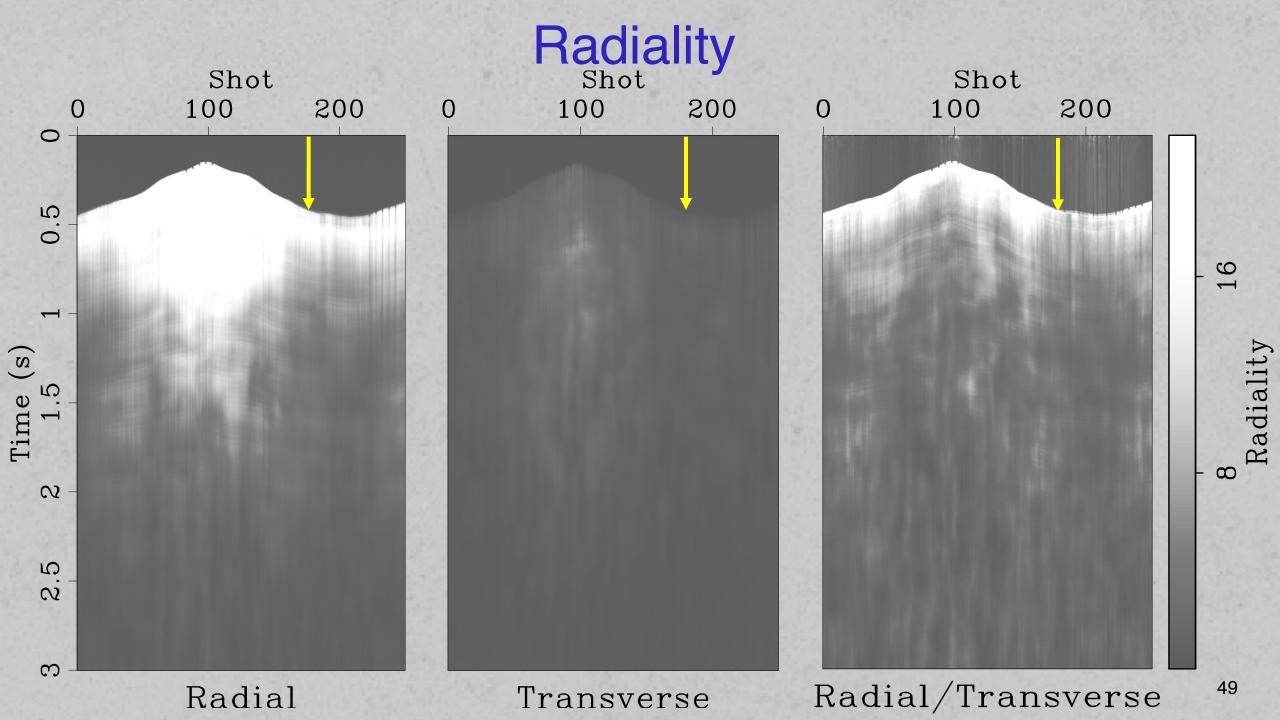


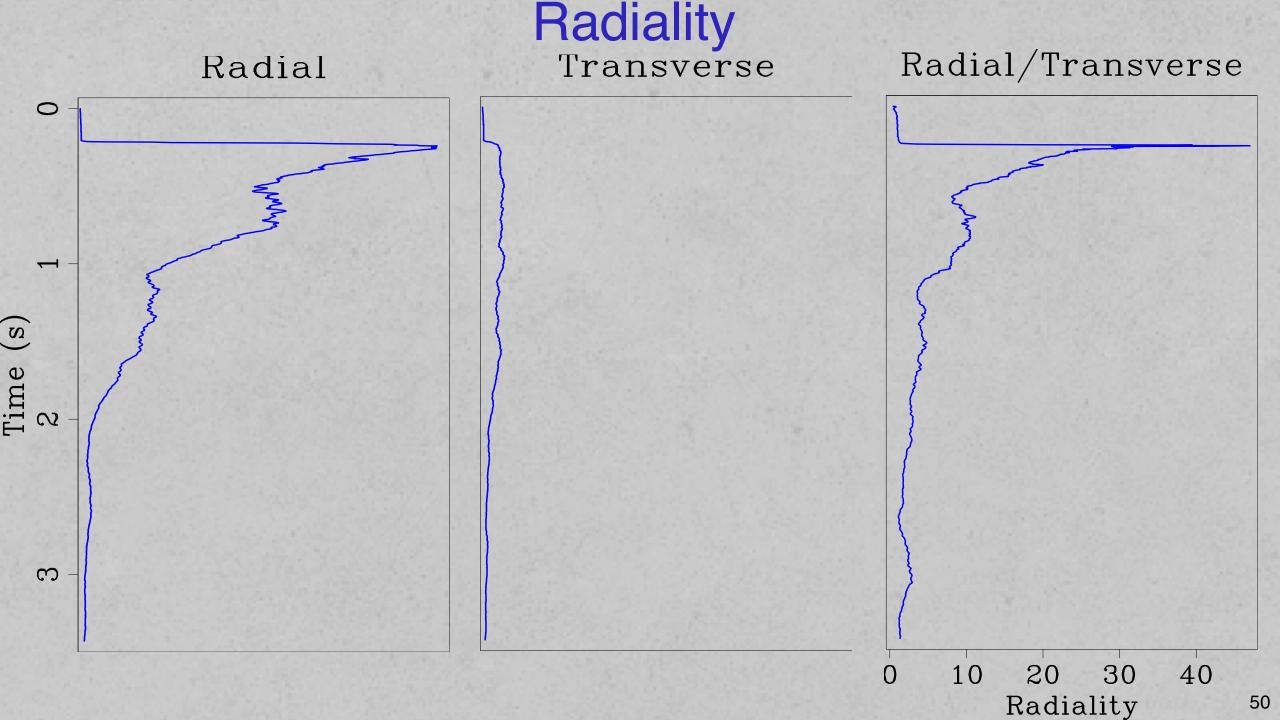










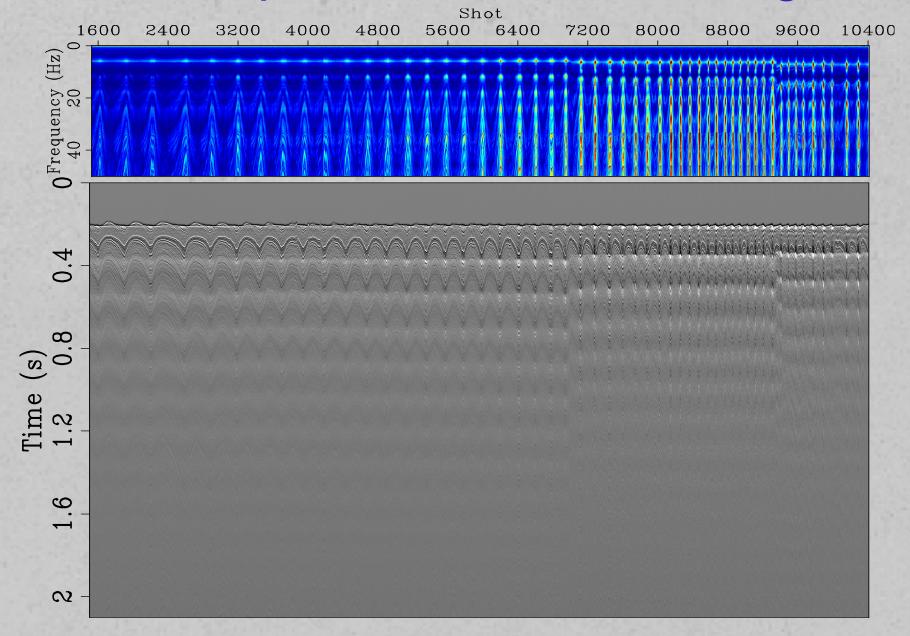


#### How can we get $p_1$ and $p_2$ ?

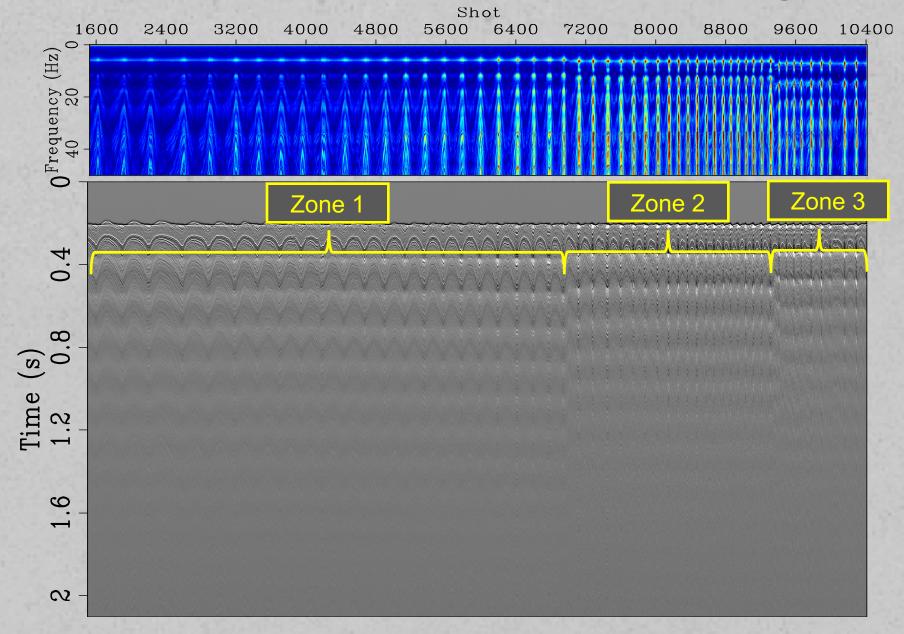
Let's look at two attributes:

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#### CRG and spectrum after flattening direct



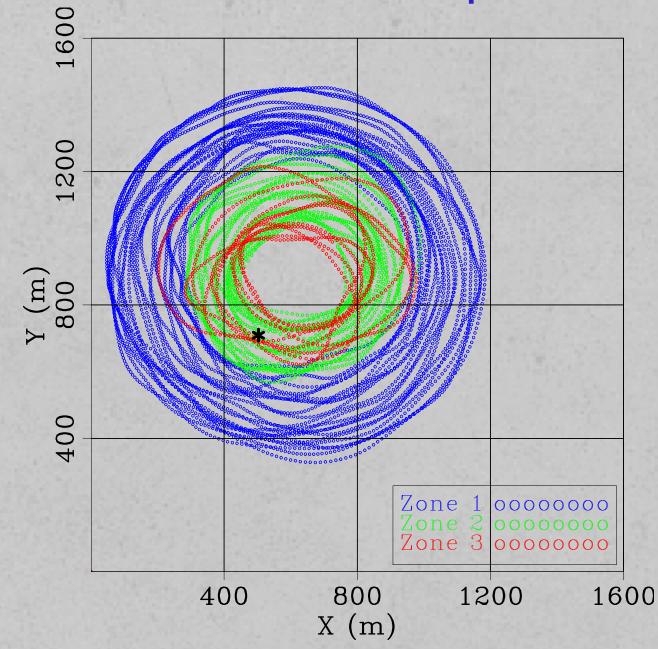
#### CRG and spectrum after flattening direct



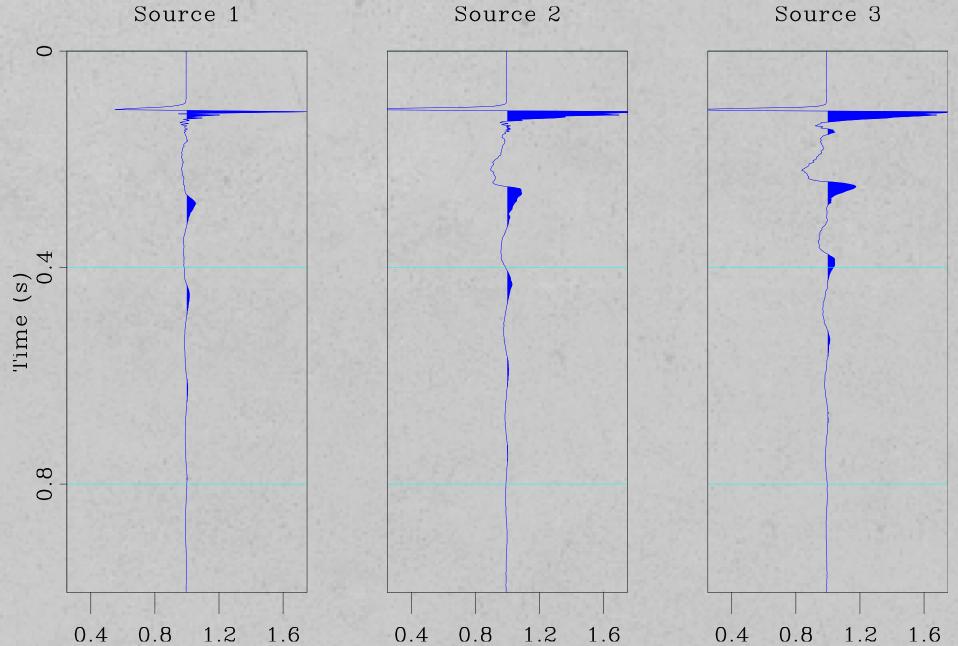
## Airgun failure



#### Zone map



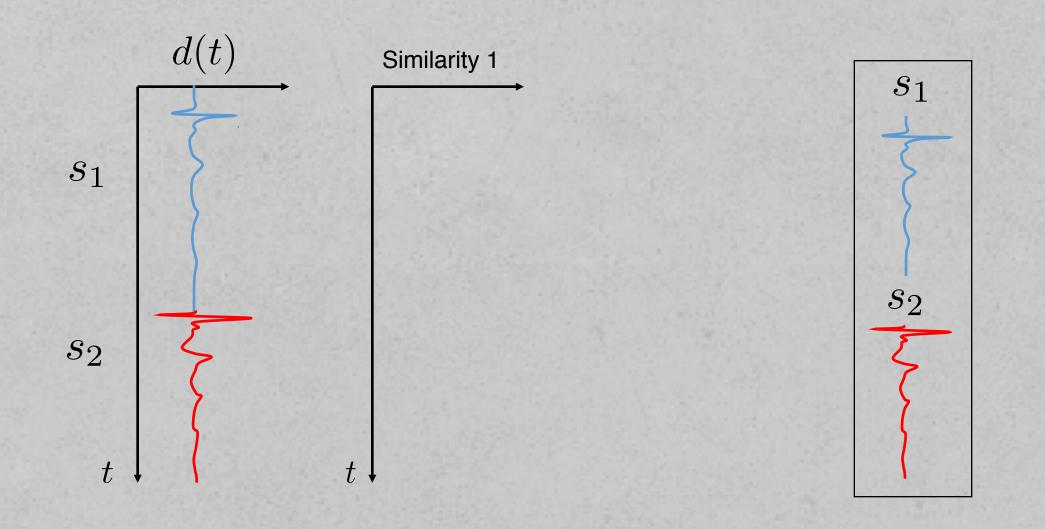
#### **Extracted sources**

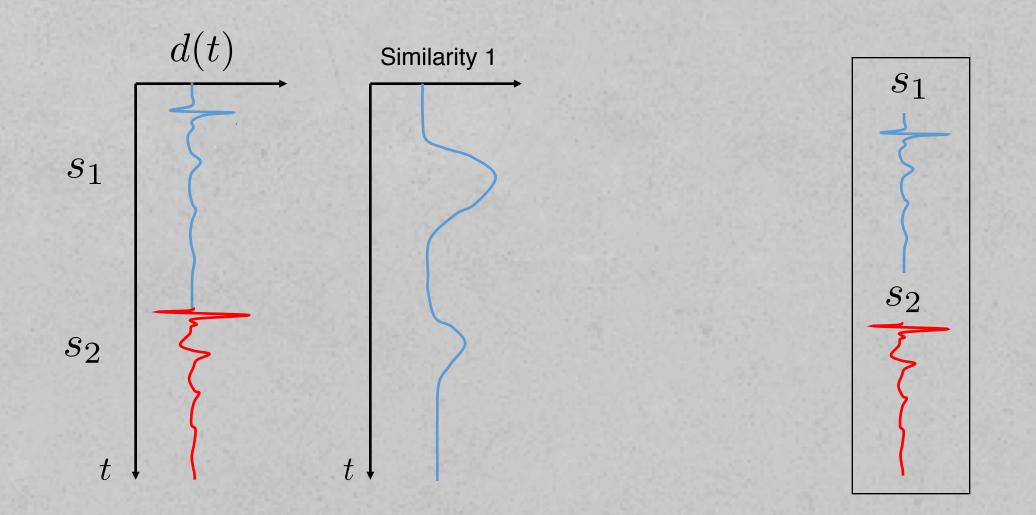


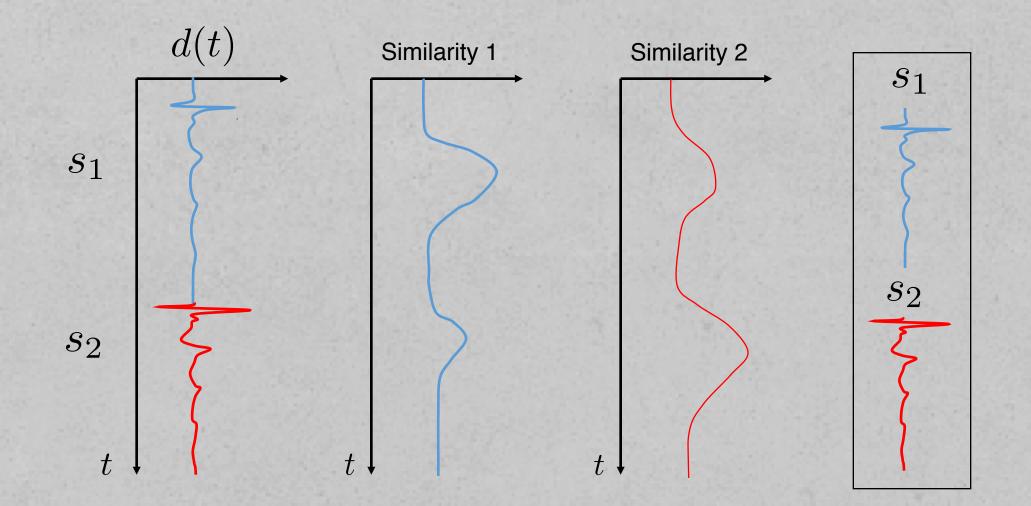
$$S_{12} = \frac{\max_t (d_1 \star d_2)}{\sqrt{\max_t (d_1 \star d_1) \max_t (d_2 \star d_2)}}$$

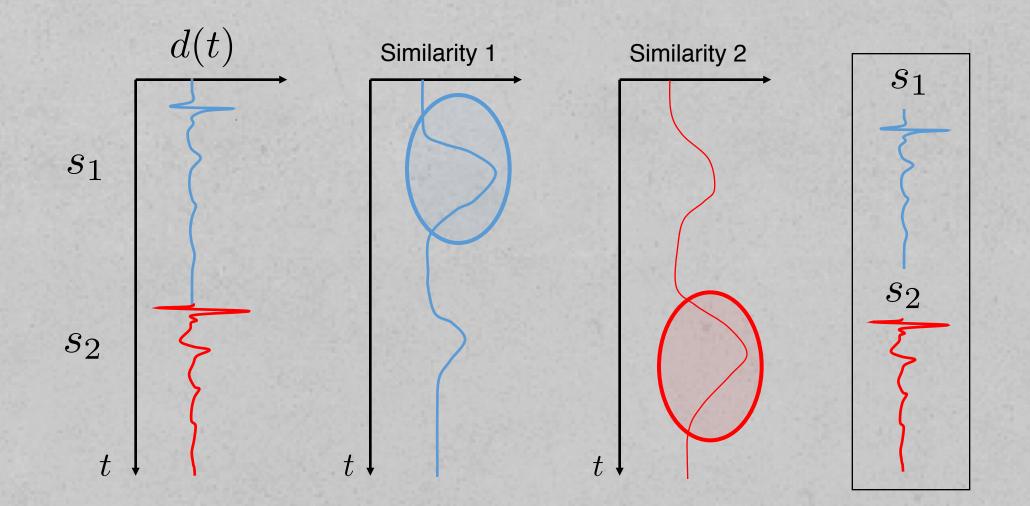
- $\star$  cross-correlation
- d seismic trace





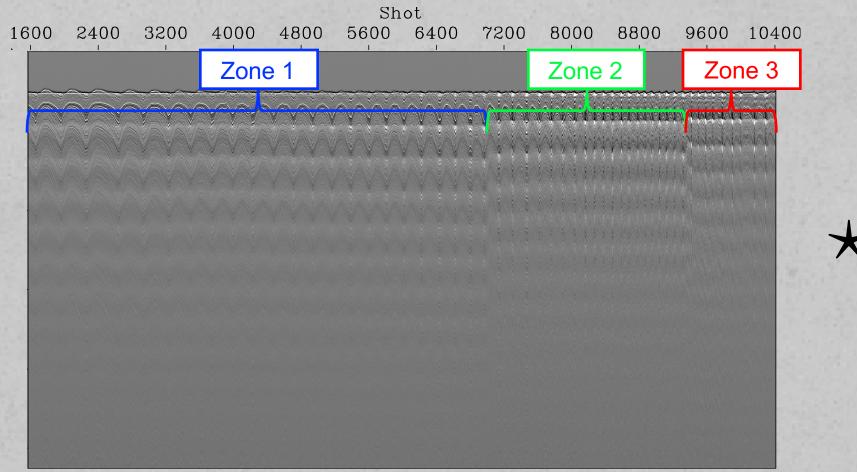






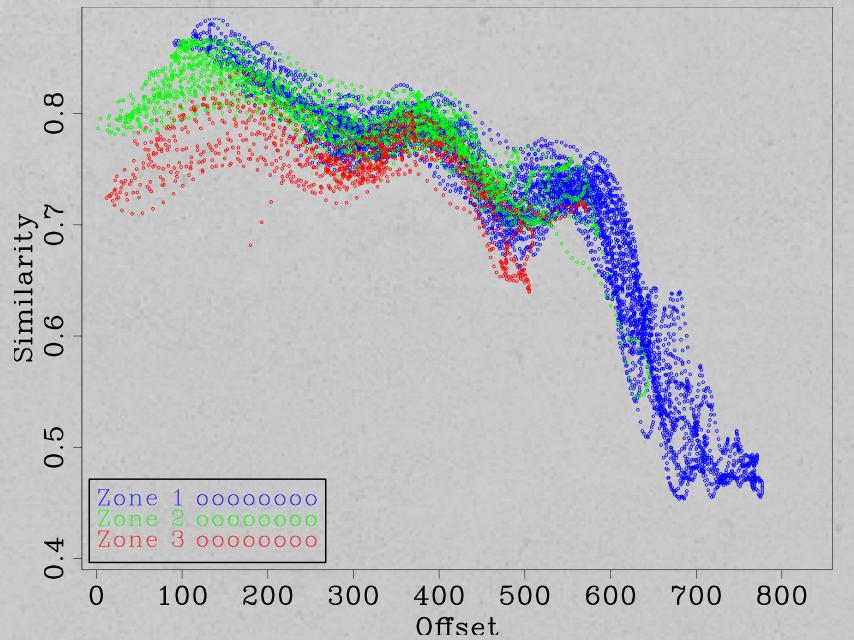
#### All traces correlated with source 1

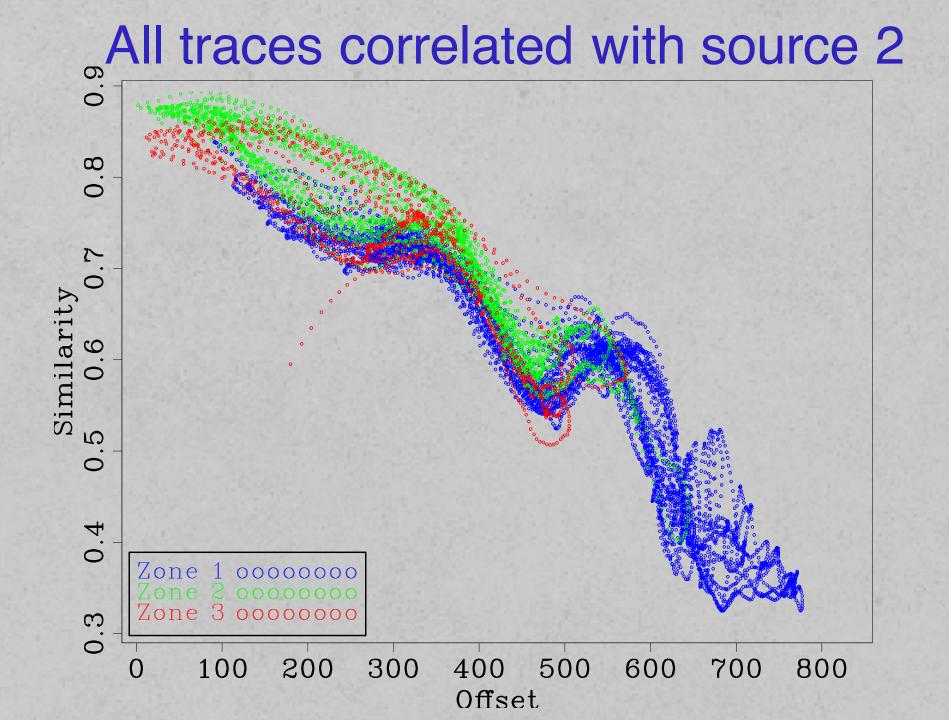
Source 1



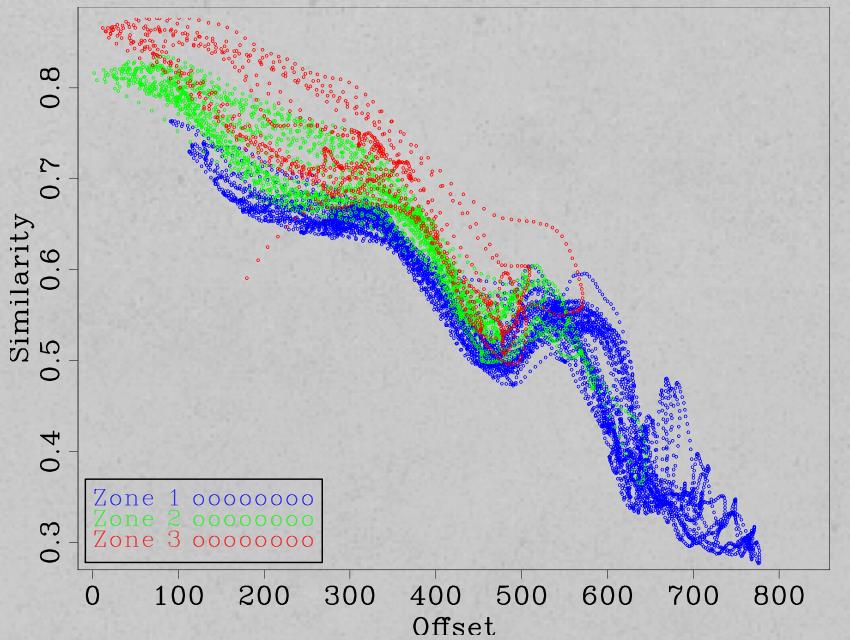


#### All traces correlated with source 1





#### All traces correlated with source 3





#### What we have shown:

• Radiality and similarity attributes

## Summary

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  - Mostly radial energy
  - Detect changing source signature

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- Radiality and similarity attributes
  - Mostly radial energy
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#### What we plan to do:

- 1. Blend the data
- 2. Compute radiality and similarity

3. Incorporate into inversion schemes

# Questions?